

# Self-Operated Regulators

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# Regulators

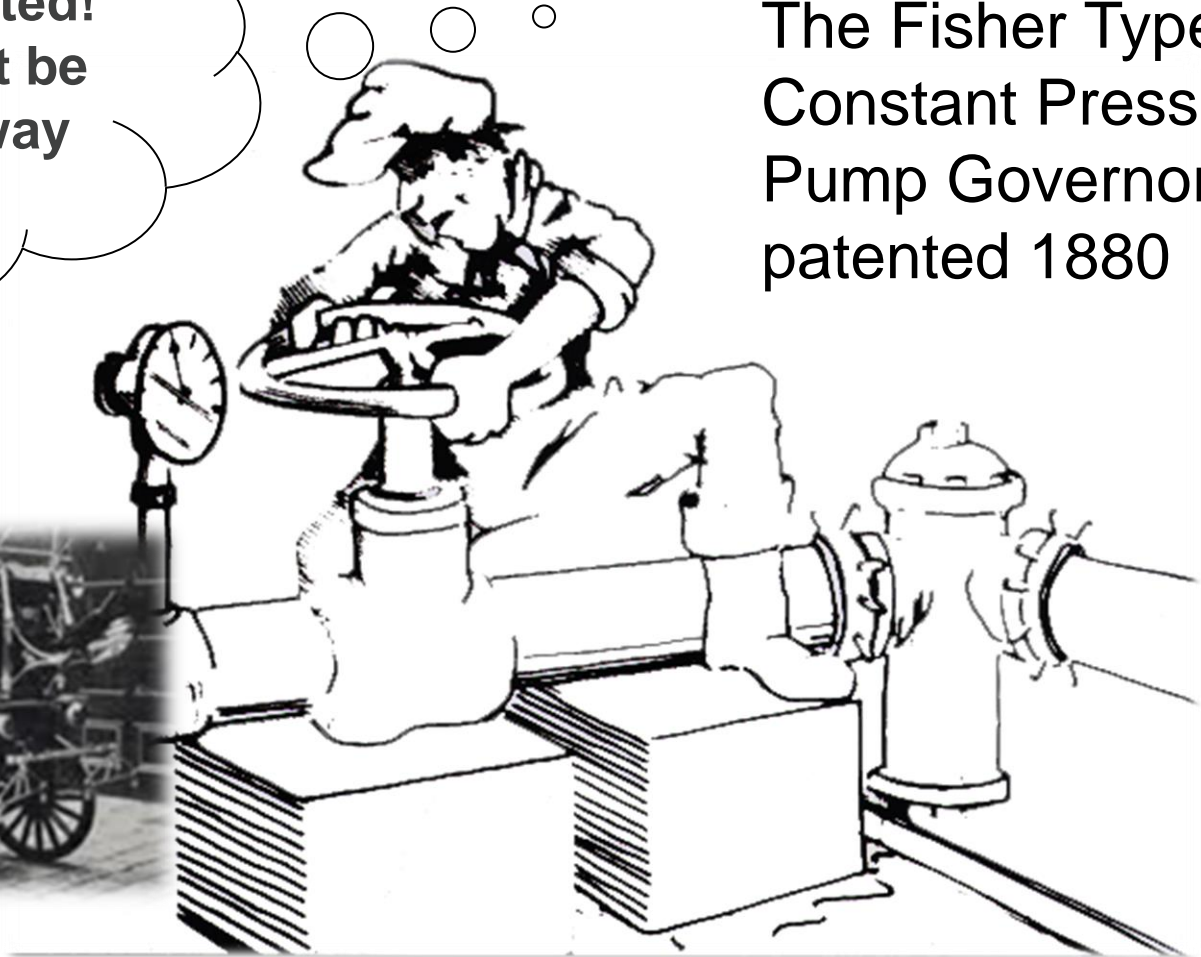
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- Definition of a Regulator
  - Any ***self-contained*** valve and actuator combination
- Purpose of a Regulator
  - To match the downstream demand while keeping the downstream pressure constant

# William Fisher (Marshalltown, Iowa)

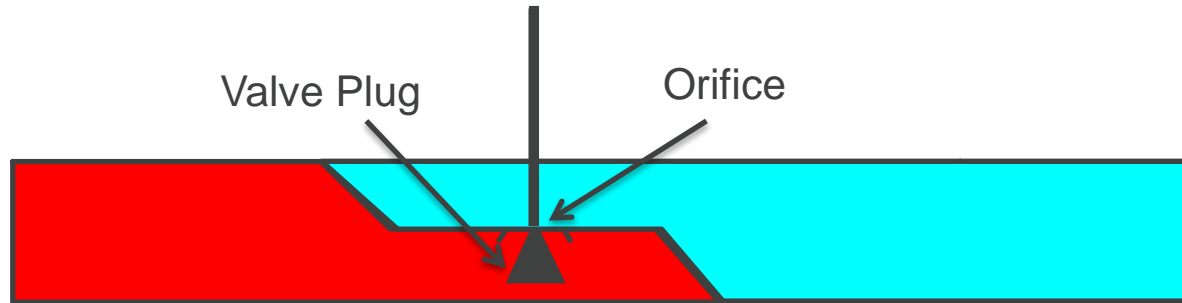
I'm exhausted!  
There must be  
an easier way  
to do this!

The Fisher Type 1  
Constant Pressure  
Pump Governor –  
patented 1880



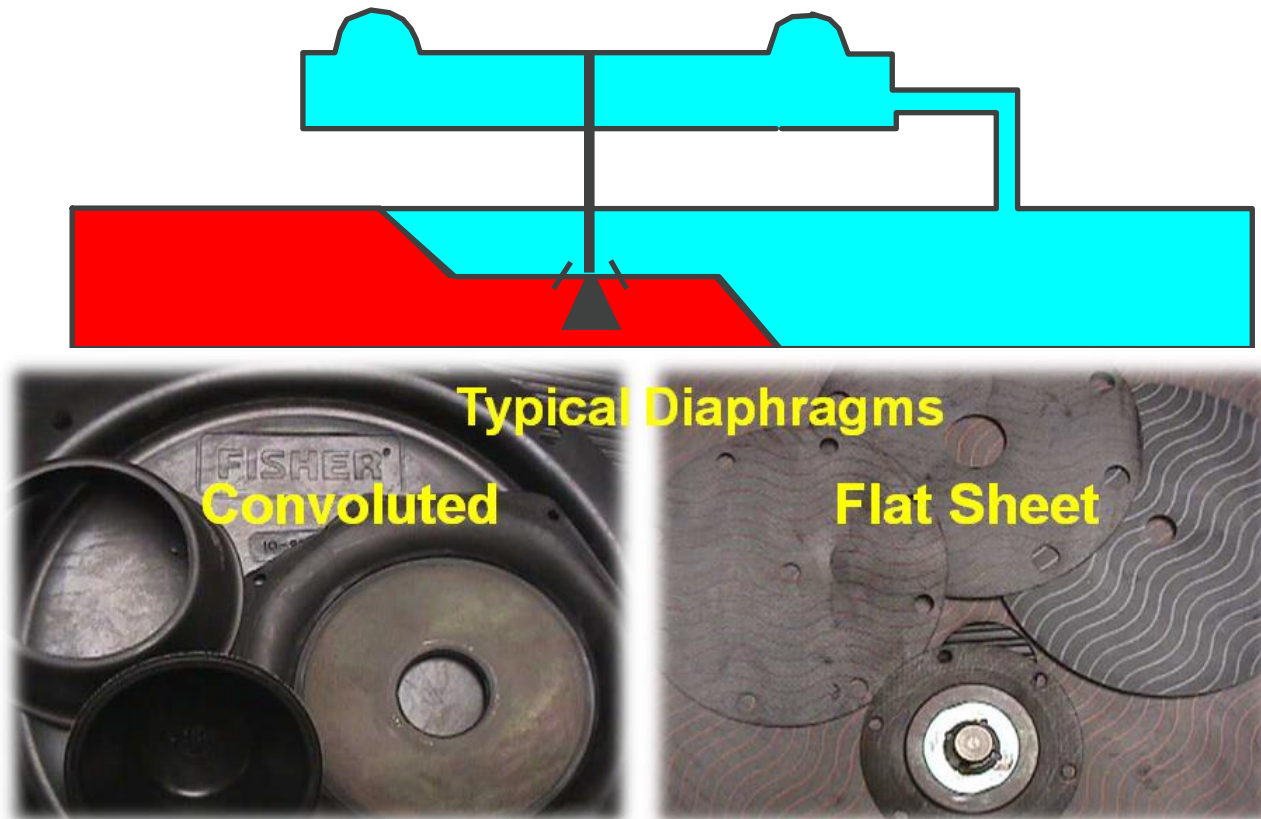
# Three Essential Elements

## 1. Restricting Element (Valve Plug and Orifice)



# Three Essential Elements

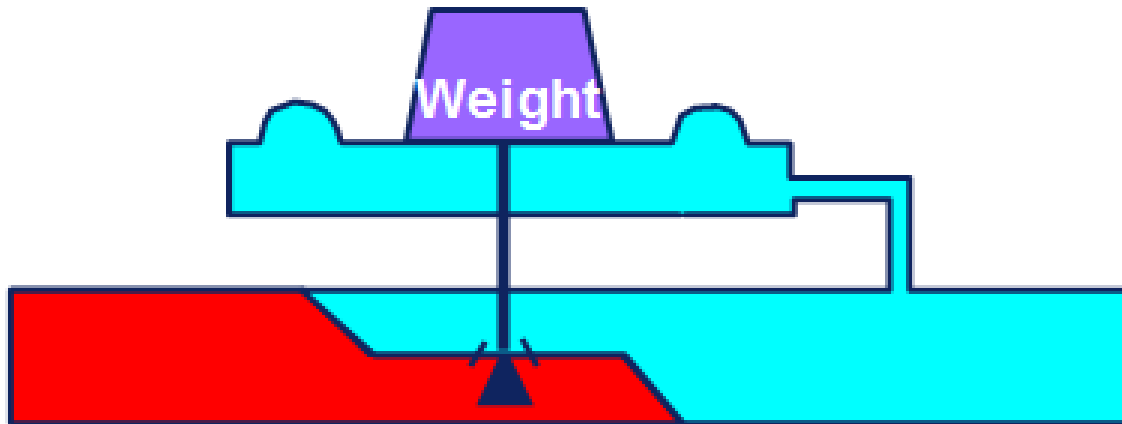
1. Restricting Element (Valve Plug & Orifice)
2. Measuring Element (Diaphragm)



# Three Essential Elements

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1. Restricting Element (Valve Plug & Orifice)
2. Measuring Element (Diaphragm)
3. Loading Element (Weight)

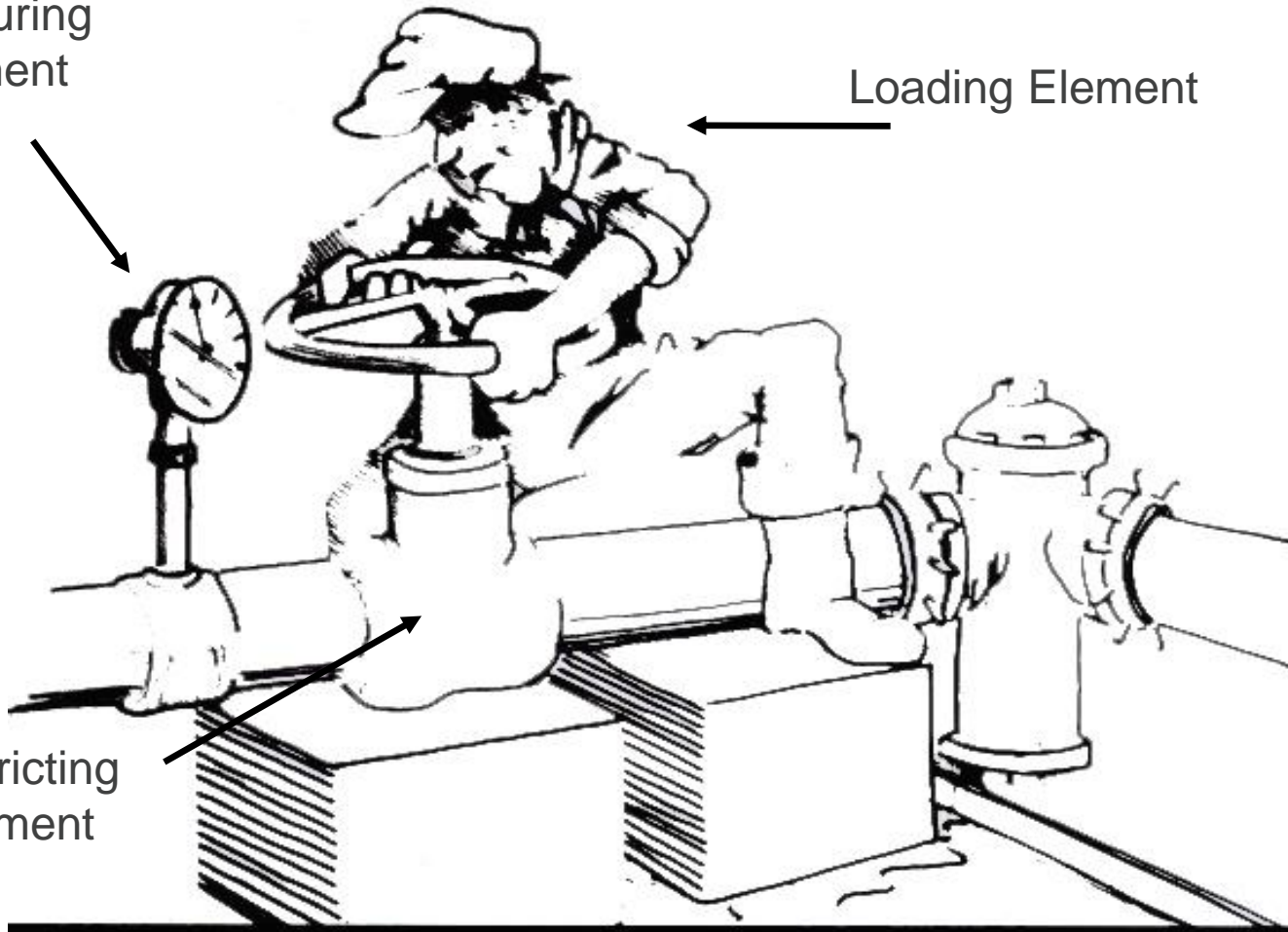


# Three Essential Elements

Measuring  
Element

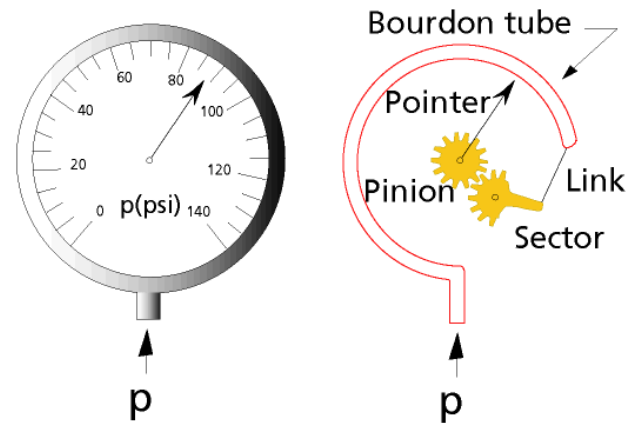
Loading  
Element

Restricting  
Element

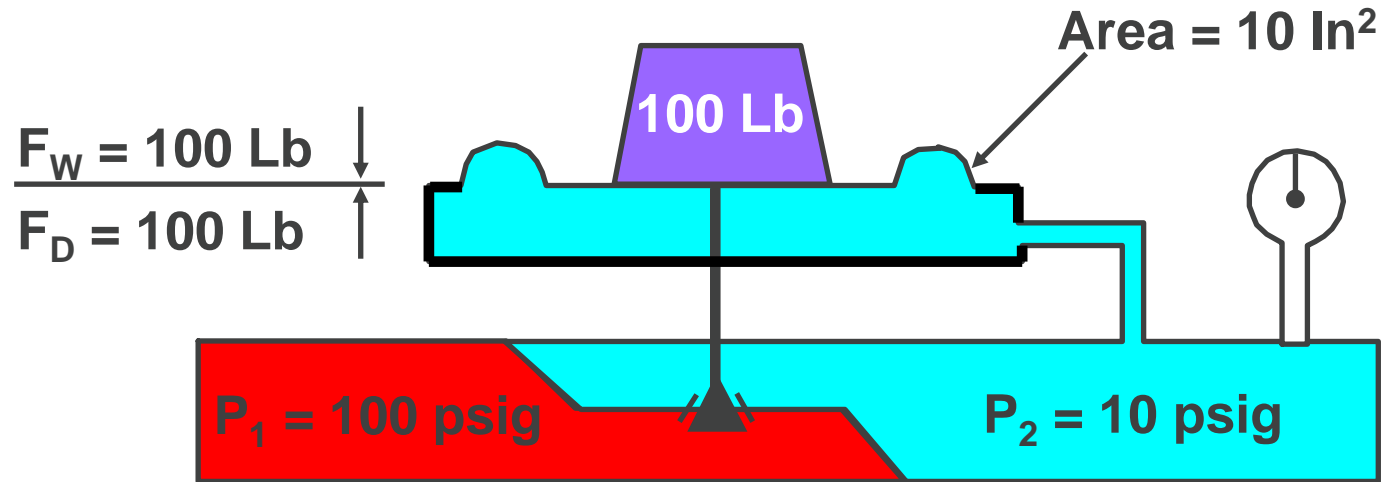


# Three Essential Elements

- Restricting Element
  - Valve, valve plug, and orifice
- Measuring Element
  - Gauge, diaphragm
- Loading Element
  - Person, weight, spring

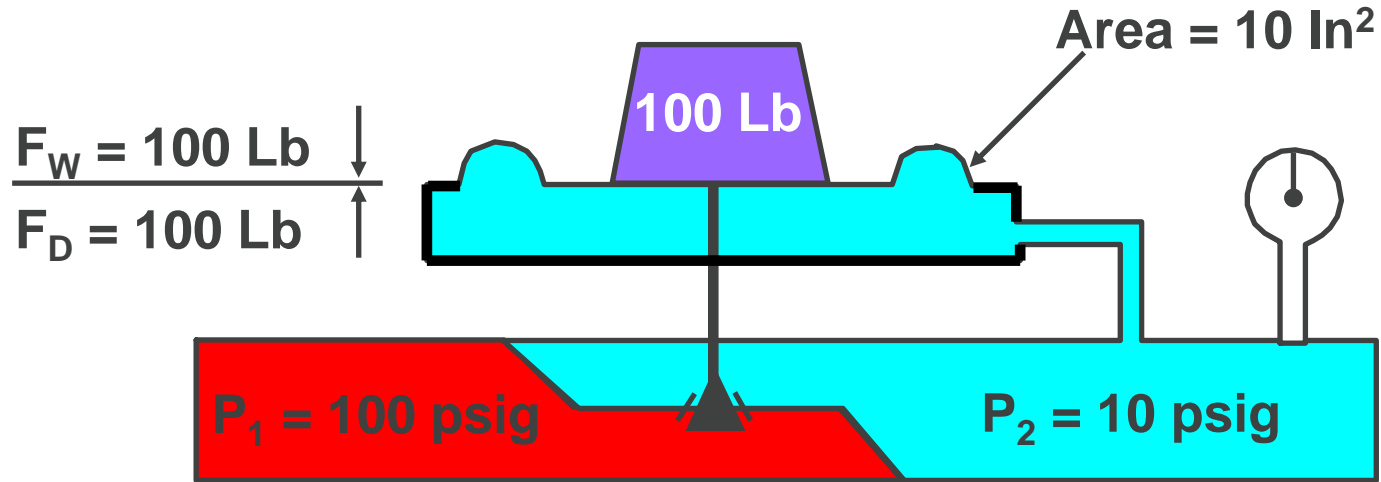


# Three Essential Elements - @ Equilibrium



$$F_D = (P_2)(A_D) = (10 \text{ psig})(10 \text{ In}^2) = 100 \text{ Lb} \uparrow$$

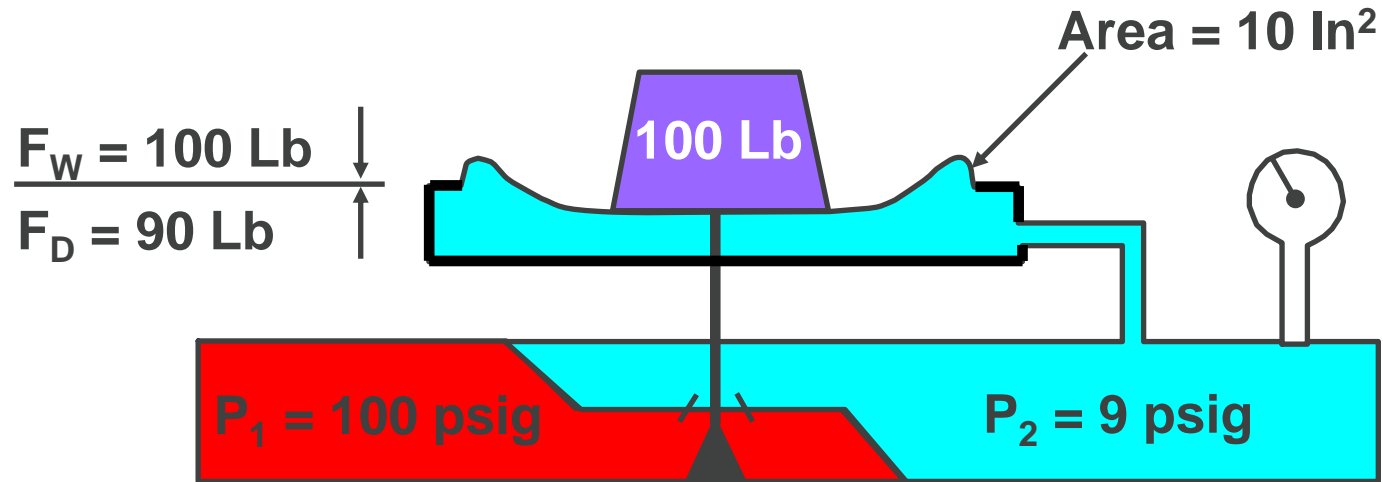
# Three Essential Elements - @ Equilibrium



$$F_D = (P_2)(A_D) = (10 \text{ psig})(10 \text{ In}^2) = 100 \text{ Lb} \uparrow$$

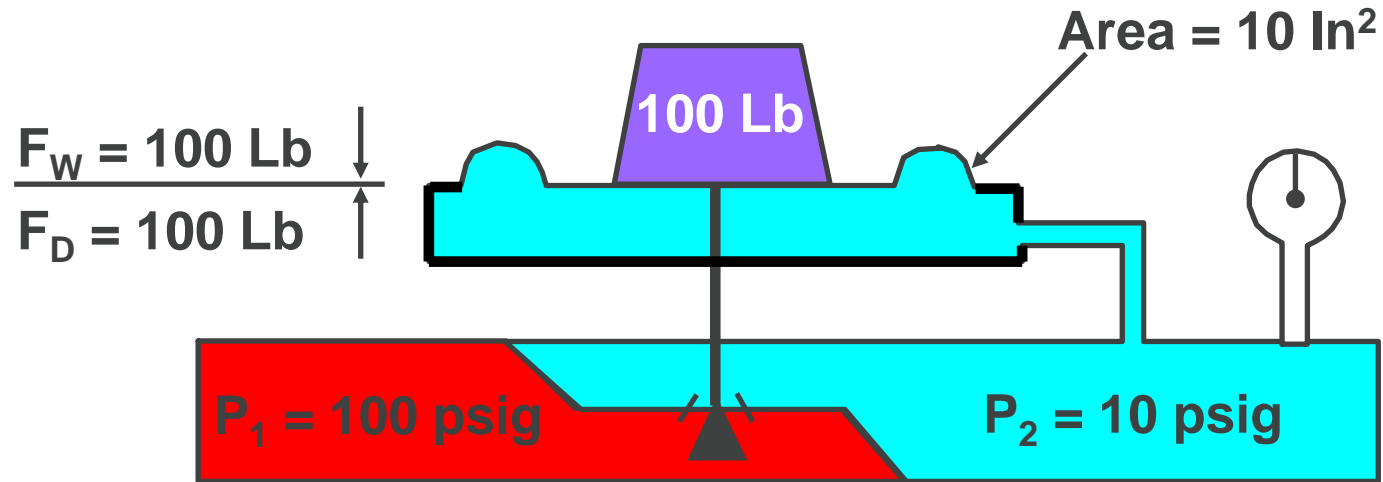
What happens to outlet pressure when demand for gas goes up?

# Three Essential Elements – Out of Equilibrium



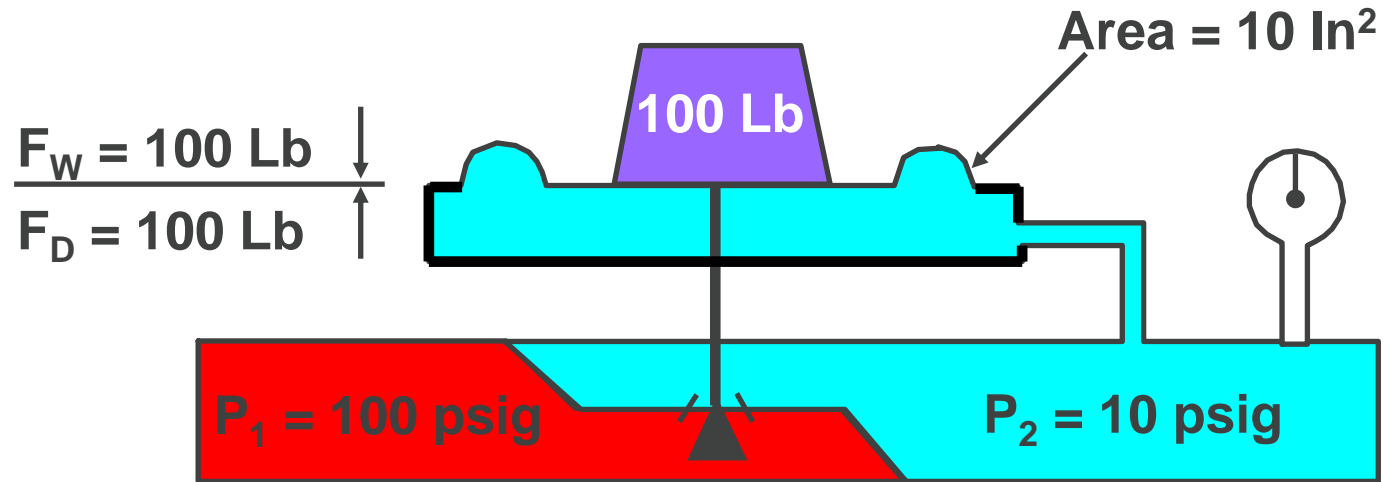
$$F_D = (P_2)(A_D) = (9 \text{ psig})(10 \text{ In}^2) = 90 \text{ Lb} \quad \uparrow$$

# Three Essential Elements – Back @ Equilibrium



$$F_D = (P_2)(A_D) = (10 \text{ psig})(10 \text{ In}^2) = 100 \text{ Lb} \uparrow$$

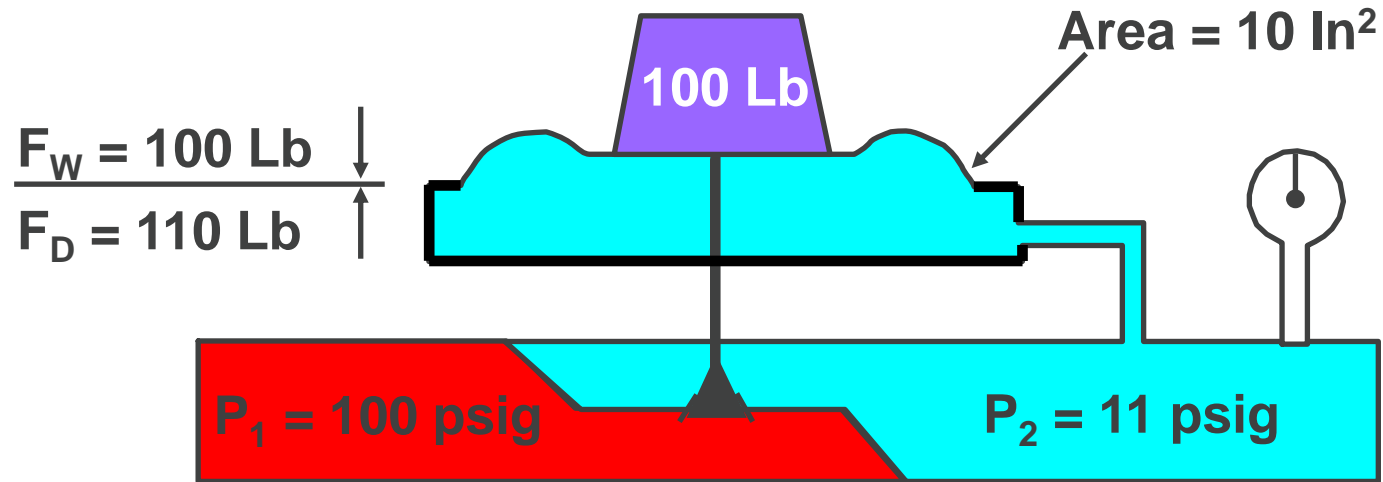
# Three Essential Elements – Back @ Equilibrium



$$F_D = (P_2)(A_D) = (10 \text{ psig})(10 \text{ In}^2) = 100 \text{ Lb} \uparrow$$

What happens to outlet pressure when demand for gas stops?

# Three Essential Elements



$$F_D = (P_2)(A_D) = (11 \text{ psig})(10 \text{ In}^2) = 110 \text{ Lb} \uparrow$$

# Three Essential Elements

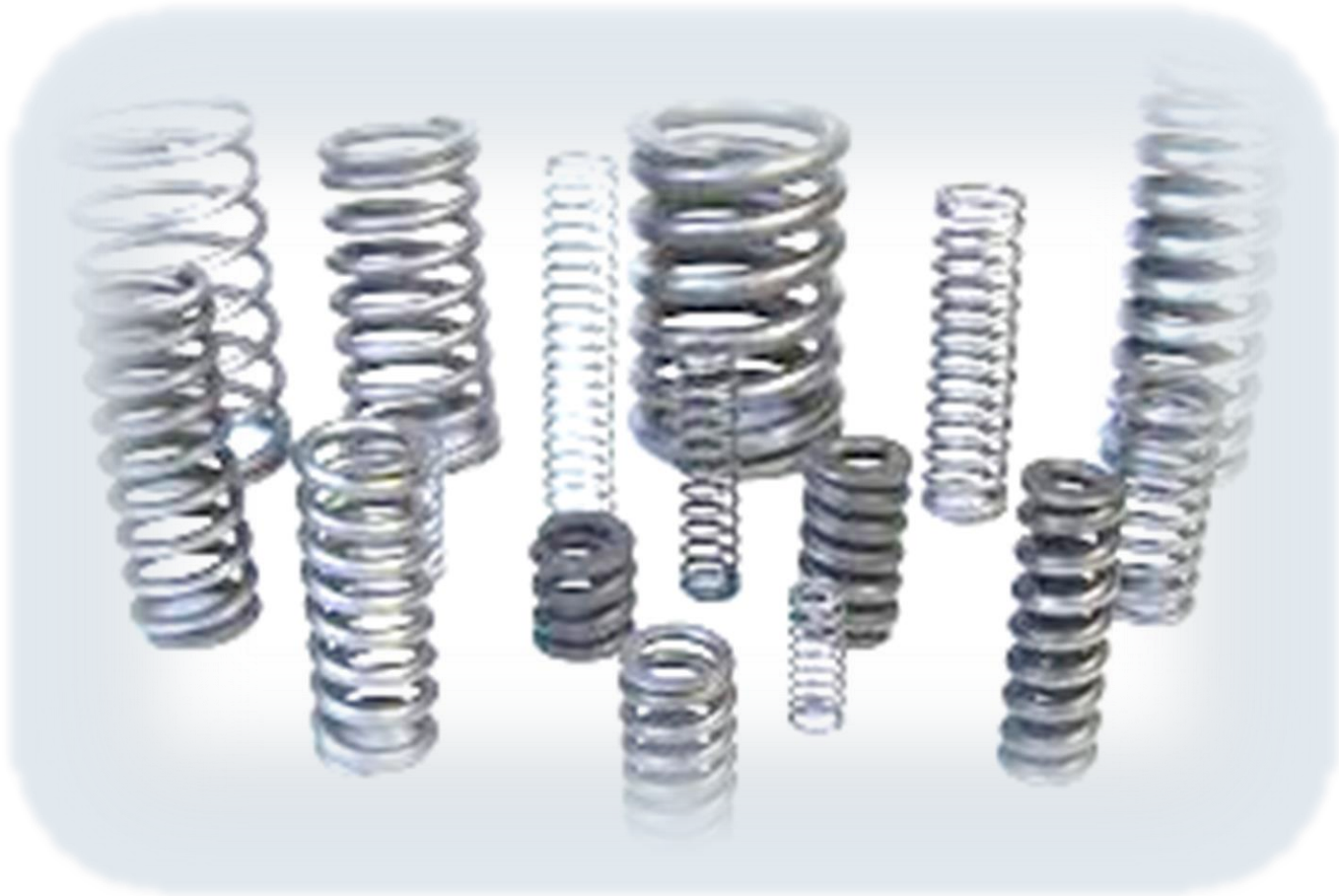
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- Weight as a Loading Element

- Although weights apply a constant force, they have inertia
- Inertia causes weights to have trouble tracking quick or large changes in downstream pressure due to overshoot
- A weight-loaded regulator could constantly be seeking its setpoint in situations with frequent changes in demand
- Downstream pressure will not be steady in this case
- Other issues: limited orientation, adjustability

# Spring-Loaded Regulator

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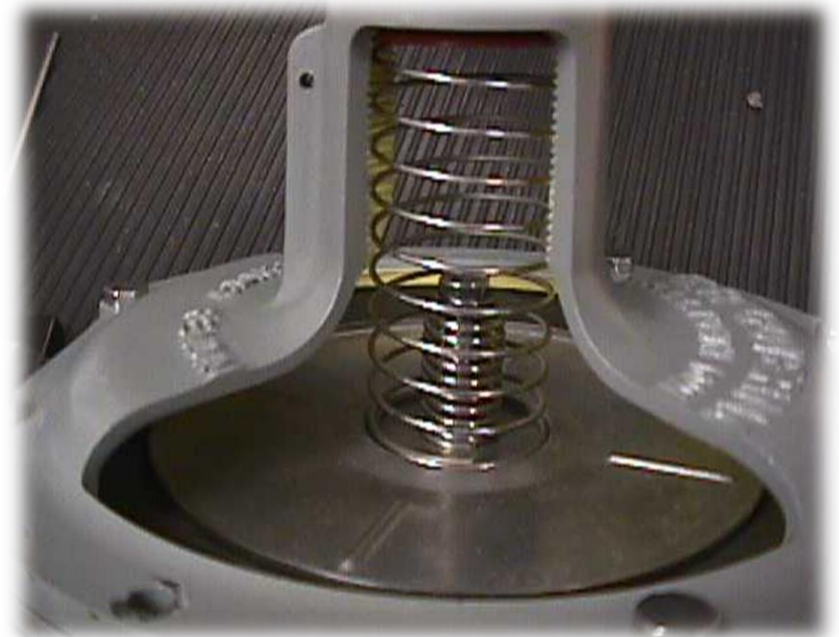


# Spring-Loaded Regulator

## Loading Element (Spring)

### Advantages of spring-loaded regulators:

- Low mass – low inertia
- Easily adjustable set pressure
- Any mounting orientation
- Protection from the elements



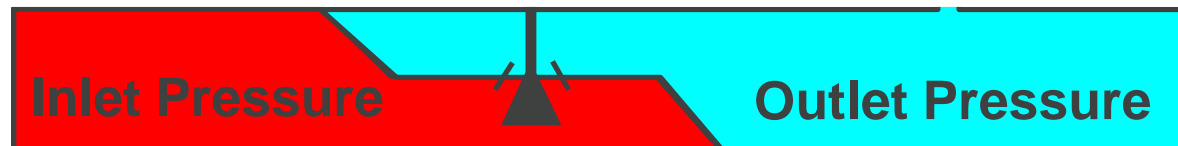
# Three Essential Elements

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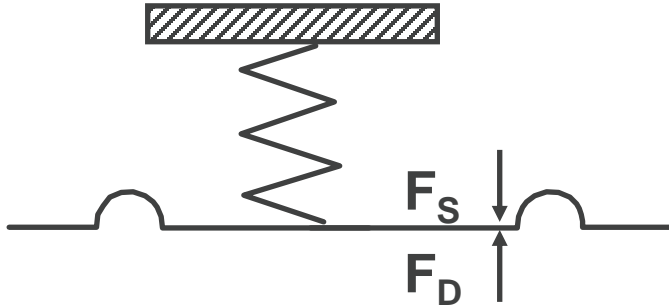
1. Restricting element (valve plug & orifice)
2. Measuring element (diaphragm)
3. Loading element (spring force)

— Adjusting

■ INLET PRESSURE  
■ OUTLET PRESSURE  
■ ATMOSPHERIC PRESSURE



# Force Balance



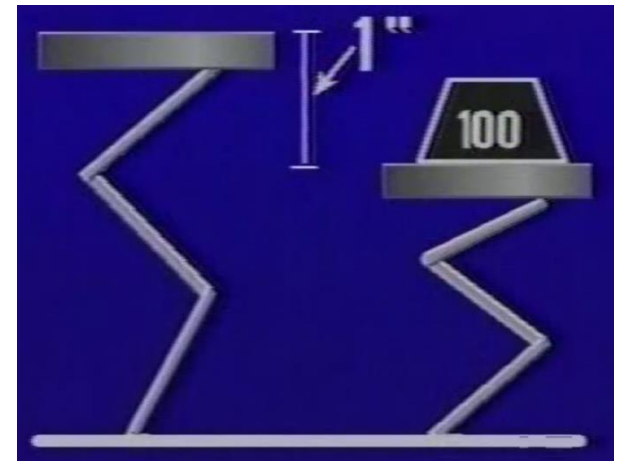
$$\frac{F_S = (K)(X)}{F_D = (P_2)(A_D)}$$

A diagram showing a horizontal line with a downward arrow pointing to it from above and an upward arrow pointing to it from below, representing the force balance between the spring force and the differential pressure force.

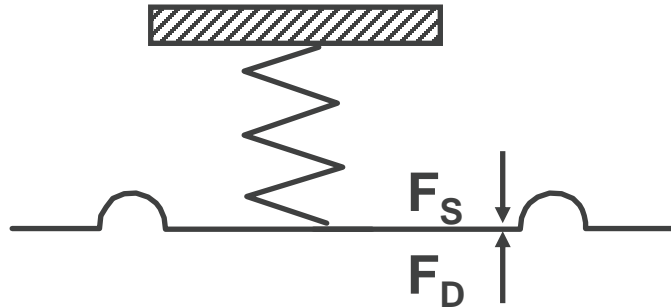
$$F_S = (K)(X)$$

**K = Spring Rate = amount of force required to compress a spring one inch pounds per inch**

**X = Compression measured in inches**



# Spring Force



$$\frac{F_S = (K)(X)}{F_D = (P_2)(A_D)}$$

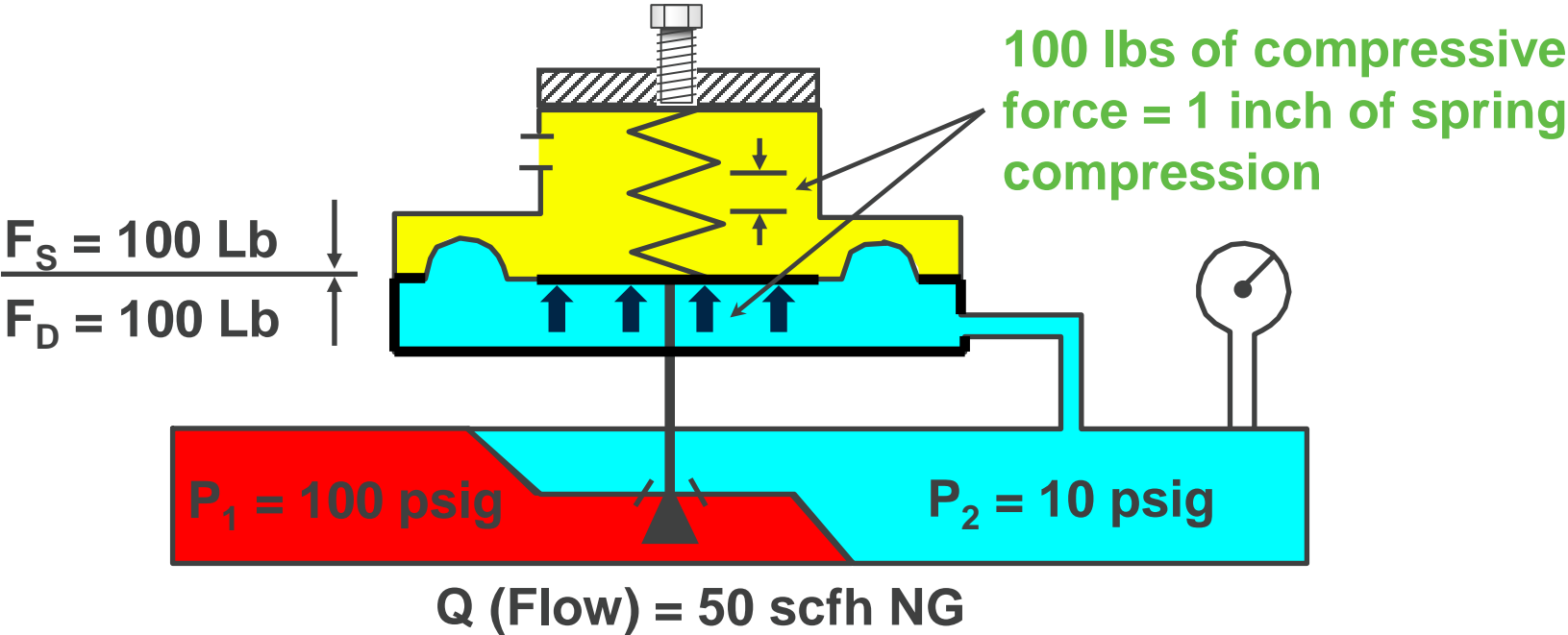
$F_S = F_D$   
(In Order  
for Diaphragm  
Not to Move)

$$F_D = (10 \text{ psig})(10 \text{ in}^2) = 100 \text{ Lb}$$

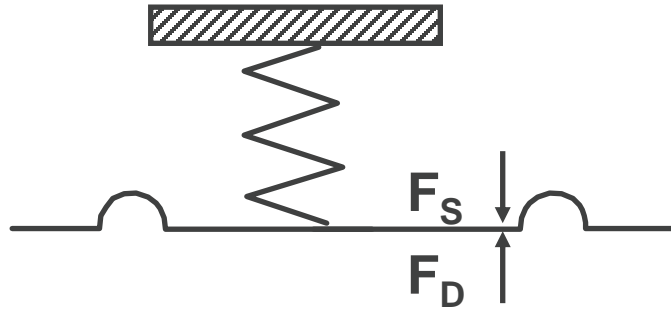
$$F_S = (100 \text{ Lb/In})(X) = 100 \text{ Lb}$$

$$X = 1 \text{ Inch Compression}$$

# Force Balance



# Valve Travel - Spring Relaxing



$$\frac{F_S = (K)(X)}{F_D = (P_2)(A_D)} \quad \downarrow \quad F_S = F_D \quad \uparrow$$

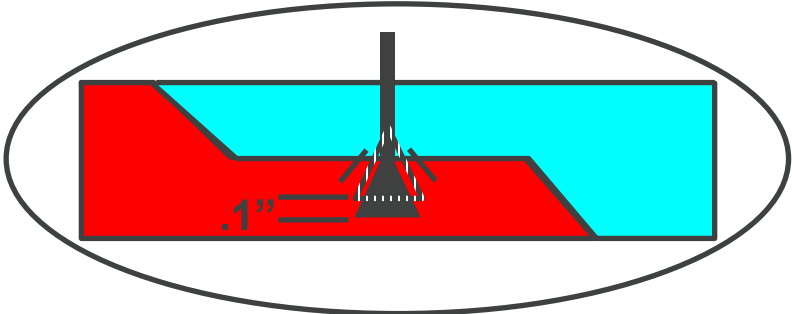
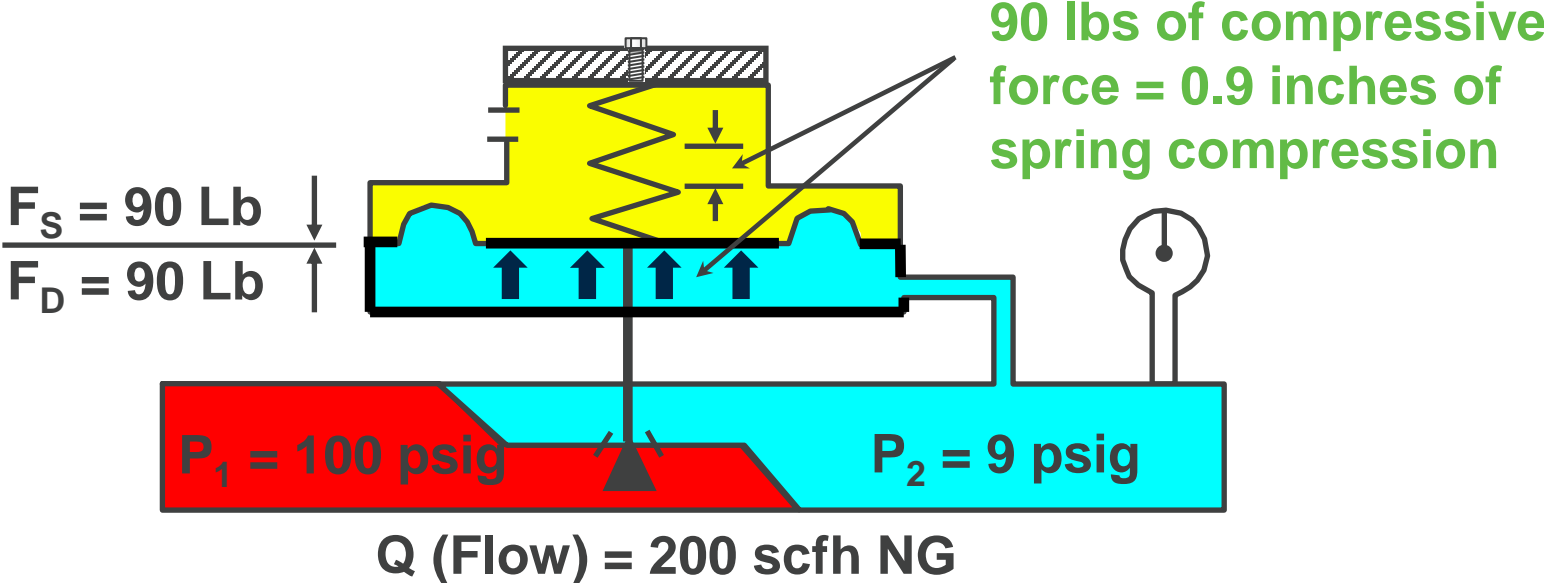
$$F_D = (9 \text{ psig})(10 \text{ in}^2) = 90 \text{ Lb} \quad \uparrow$$
$$F_S = (100 \text{ Lb/in})(X) = 90 \text{ Lb} \quad \downarrow$$

**X = .9 inch compression**

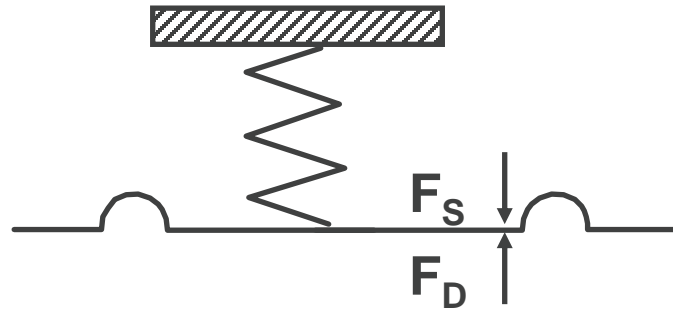
Spring has relaxed  $1 - 0.9 = 0.1$  inches

So diaphragm has moved down 0.1 inches

# Valve Travel



# Valve Travel



$$\frac{F_S = (K)(X)}{F_D = (P_2)(A_D)} \quad \begin{array}{c} \downarrow \\ F_S = F_D \\ \uparrow \end{array}$$

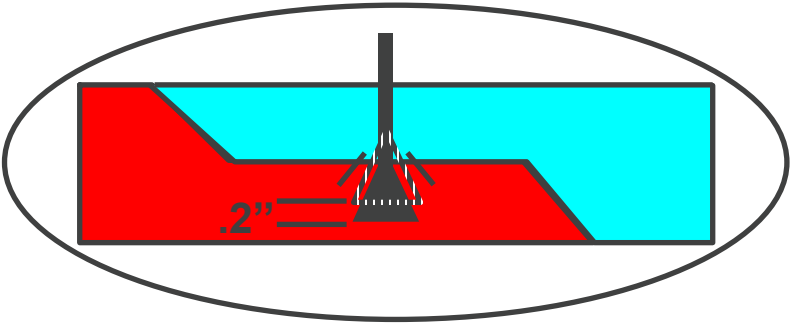
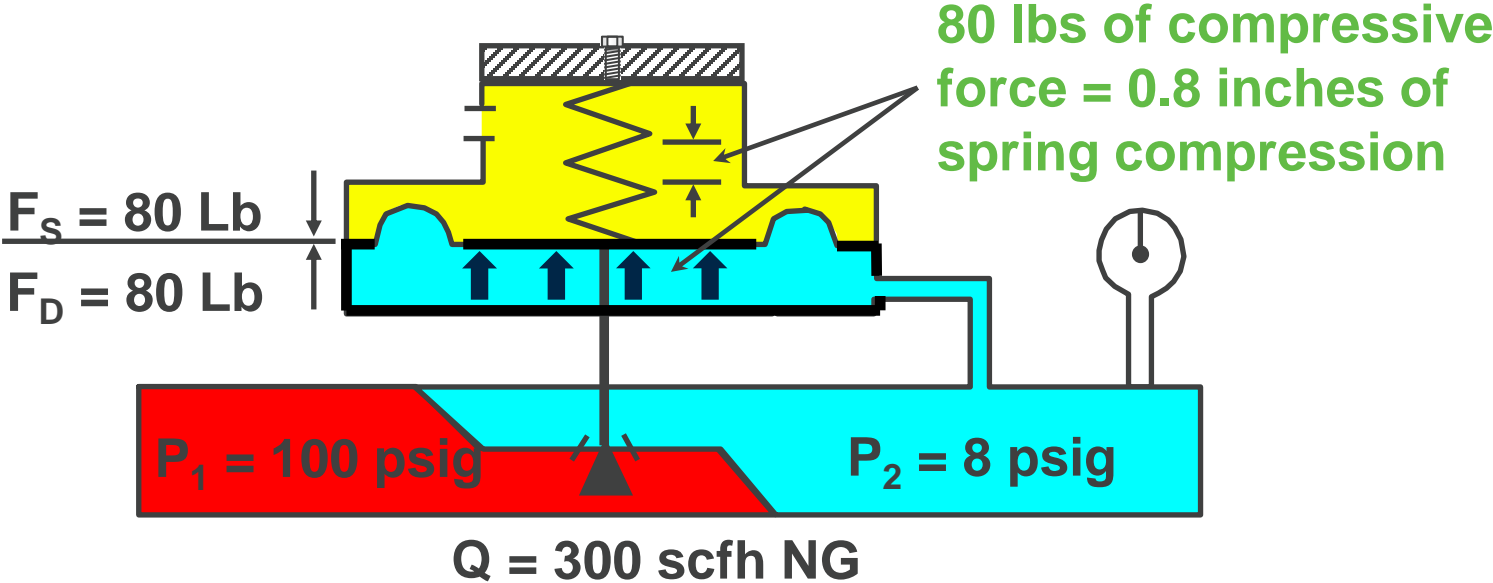
$$F_D = (8 \text{ psig})(10 \text{ in}^2) = 80 \text{ Lb} \quad \uparrow$$
$$F_S = (100 \text{ Lb/in})(X) = 80 \text{ Lb} \quad \downarrow$$

$$X = .8 \text{ inch compression}$$

Spring has relaxed  $0.9 - 0.8 = 0.1$  inches

So diaphragm has moved down 0.1 inches

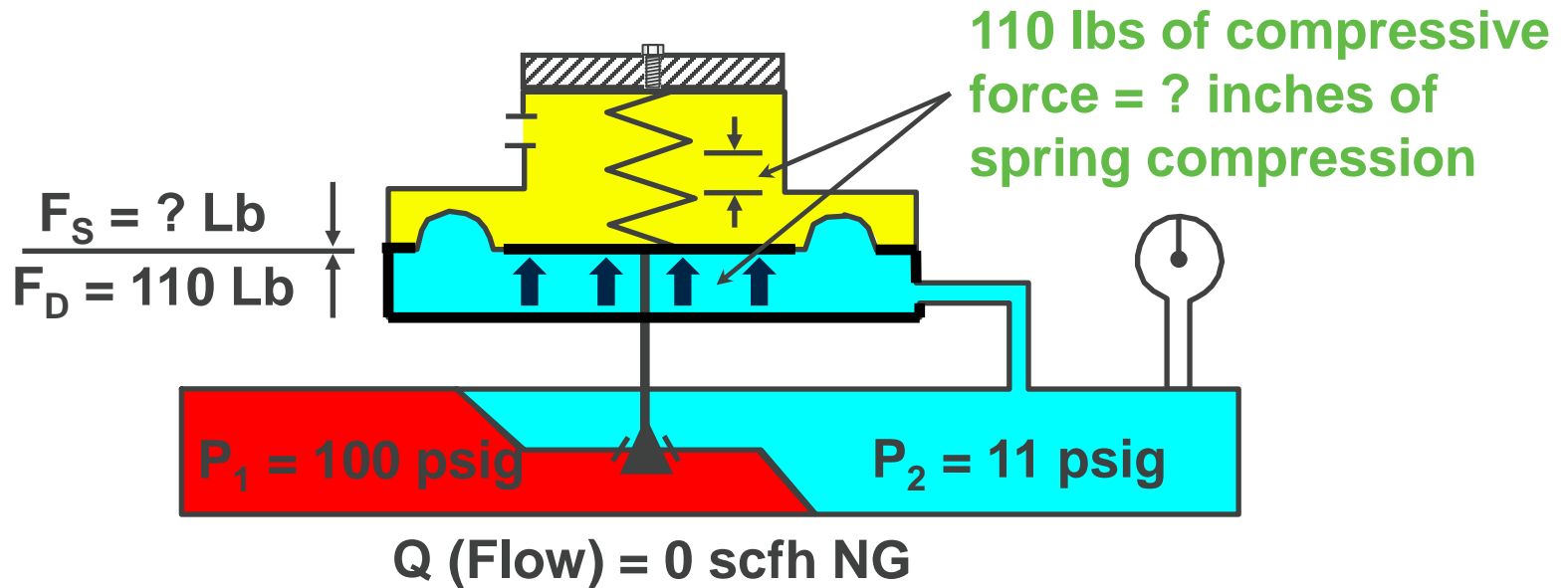
# Valve Travel



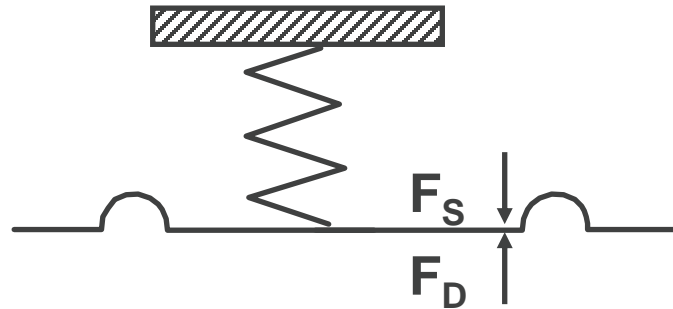
# Valve Travel - Spring Compressing

What happens if an appliance downstream was suddenly shut off?

Ex: 8 psig jumps up to 11 psig



# Valve Travel



$$\frac{F_S = (K)(X)}{F_D = (P_2)(A_D)} \quad \begin{array}{c} \downarrow \\ F_S = F_D \\ \uparrow \end{array}$$

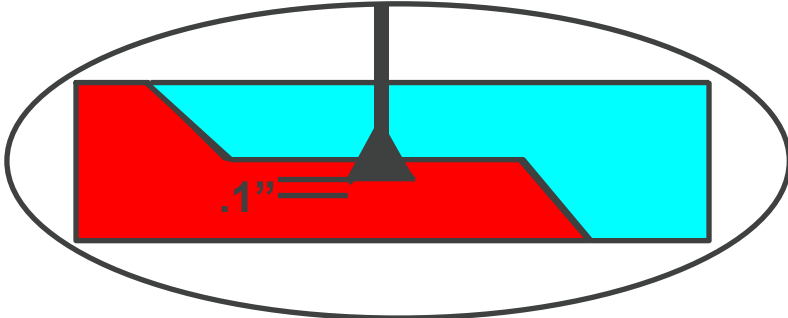
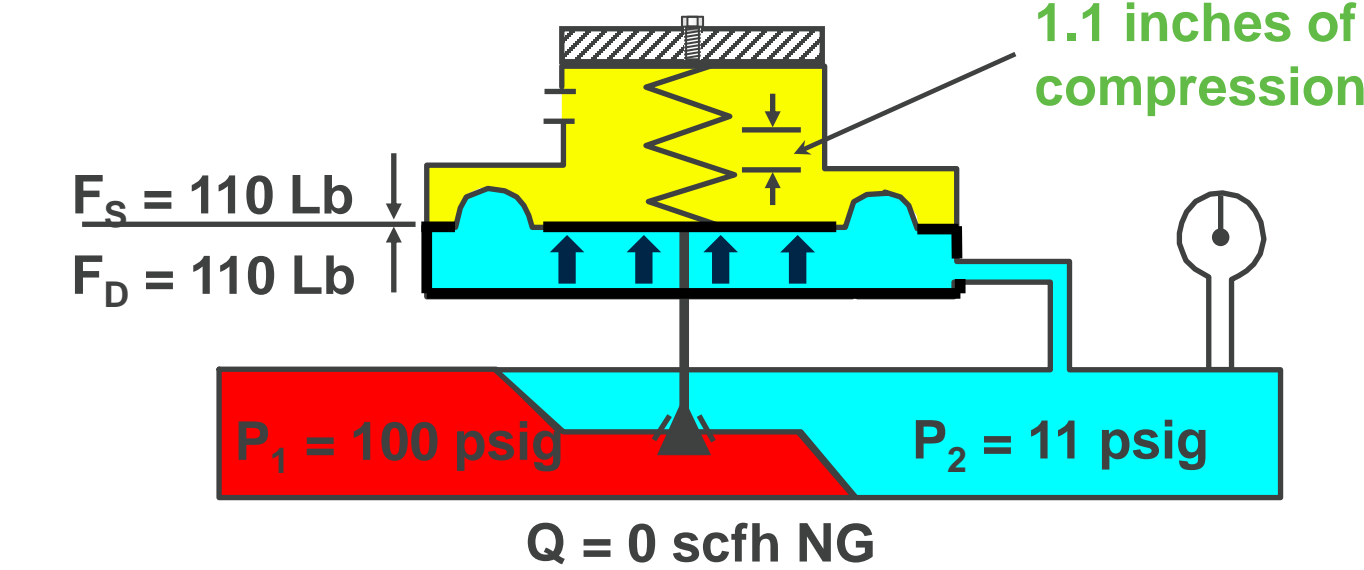
$$F_D = (11 \text{ psig})(10 \text{ in}^2) = 110 \text{ Lb} \quad \uparrow$$
$$F_S = (100 \text{ Lb/in})(X) = 110 \text{ Lb} \quad \downarrow$$

**$X = 1.1$  Inches of compression**

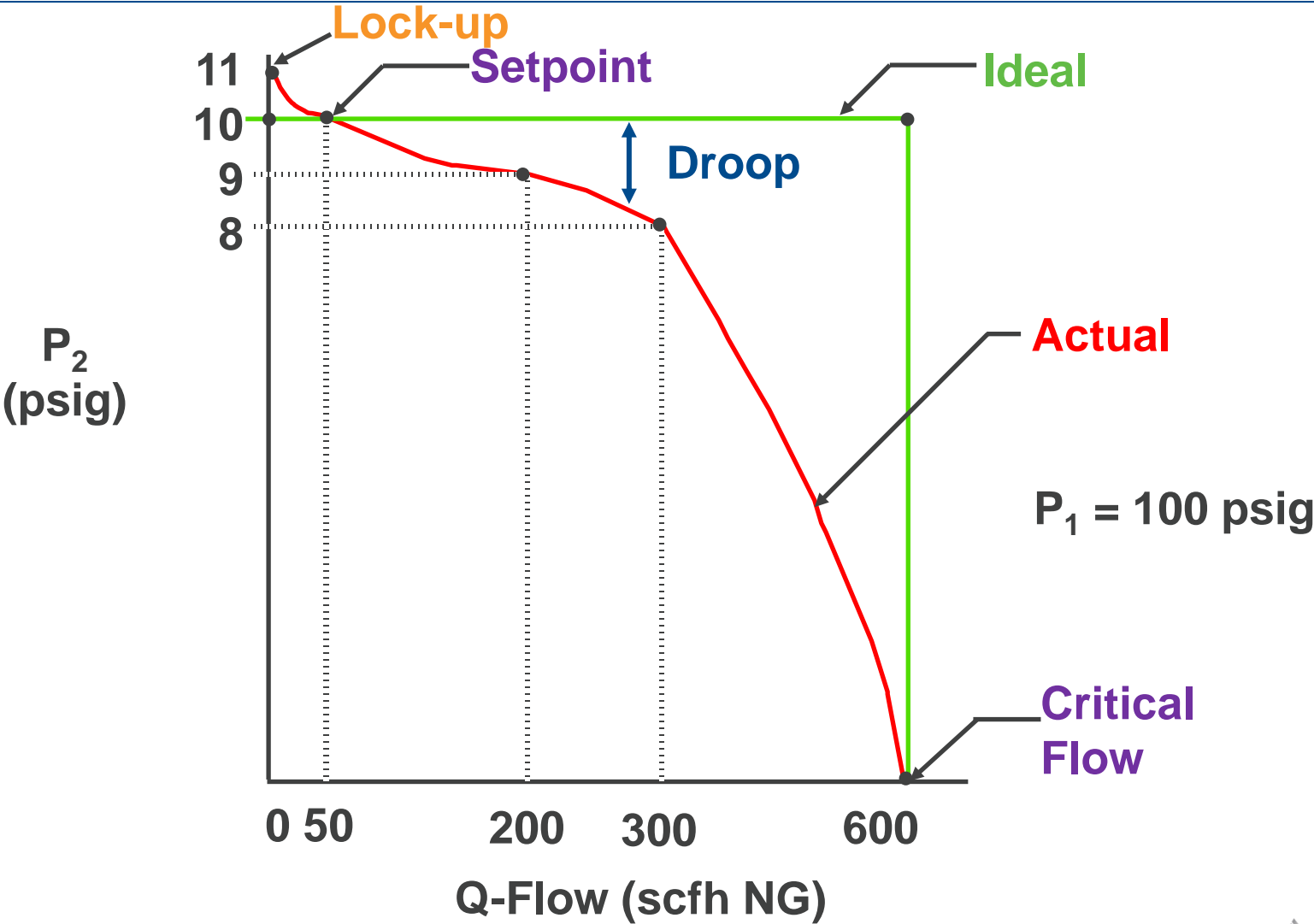
Spring has compressed  $0.8 - 1.1 = -0.3$  inches

So diaphragm has moved up 0.3 Inches

# Valve Travel



# Capacity Curves



# Capacity Curve Terms – To Be Defined

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- Set Pressure (Setpoint)
- Droop/Offset/Accuracy
- Lock-up
- Critical Flow

# Set Pressure

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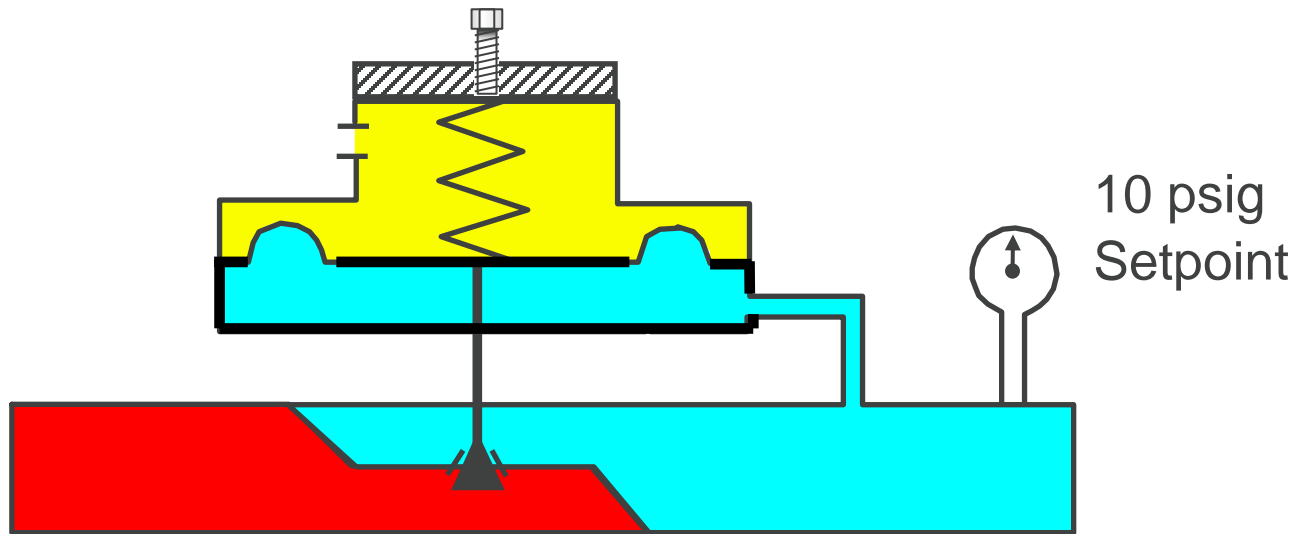
Definition: The pressure at which the regulator is set ( $P_2$ ) at a given inlet pressure ( $P_1$ ) and flow ( $Q_{scfh}$ )

Establishing setpoint on a regulator – setting adjusting screw:

- Make sure inlet pressure is constant (ex. 100 psig)
- For small regulators (ex. House Service) use a small valve to simulate ~ 50 scfh load downstream
- Once flow is established, make adjustment to the outlet pressure via the regulator adjusting screw (ex. 10 psig)
- Once setpoint is established, shut small valve slowly and check lockup
  - Note: Establishing setpoint at a high flow will cause your regulator to have a high lockup pressure

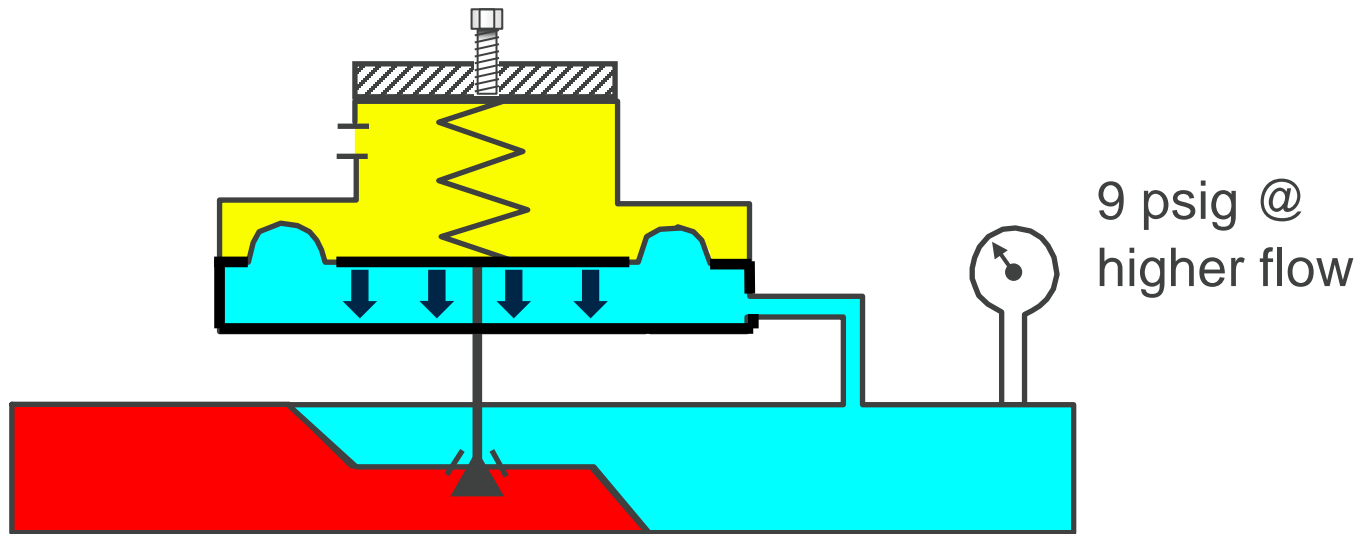
# Droop

Definition: The offset from setpoint required to open the regulator to match a need for more gas to flow



# Droop

Definition: The offset from setpoint required to open the regulator to match a need for more gas to flow



# Calculating Droop

- Calculated by comparing:

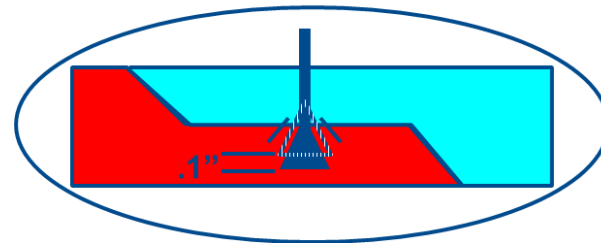
The change in outlet pressure vs. the original setpoint:

- $P_2$  (original set point): 10 psig
- $P_2$  (after increase in flow): 9 psig

- $\Delta P_2 = P_2$  (original) –  $P_2$  (after)
- $\Delta P_2 = 10$  psig – 9 psig
- $\Delta P_2 = 1$

- Droop =  $\Delta P_2 / P_2$  (original)
- Droop = 1 psi / 10 psig
- **Droop = .1 or 10%**
- **Q = 200 SCFH**

***10% Droop results in .1 inch in valve plug travel***



# How Do You Know What the Droop is?

- It is advertised in manufacturers' bulletins:
  - As a “%”, example 10%
  - or Offset

ACCURACY				SET RANGE	PART NUMBER / COLOR
SETPOINT	+ / - 10%				
2 psig	-0.2 psi	0.2 psi		1 to 2 psig	GE30190X012 / Black
138 mbar	-14 mbar	14 mbar		99 to 138 mbar	

CAPACITIES IN SCFH / Nm³/h OF 0.6 SPECIFIC GRAVITY NATURAL GAS															
Inlet Pressure		Orifice Size, In. / mm													
		3/16	4.8	1/4	6.4	5/16	7.9	3/8	9.5	1/2	13	5/8	16	3/4	19
psig	bar	SCFH	Nm³/h	SCFH	Nm³/h	SCFH	Nm³/h	SCFH	Nm³/h	SCFH	Nm³/h	SCFH	Nm³/h	SCFH	Nm³/h
Body Size: NPS 1-1/4															
3	0.21	270	7.2	330	8.8	630	16.9	850	22.8	860	23.0	870	23.3	1000	26.8
5	0.34	500	13.4	740	19.8	730	19.5	1000	26.8	1200	32.2	1600	42.9	1900	51.0
10	0.69	680	18.2	1000	26.8	1100	29.5	1700	45.6	2200	59.0	2900	77.8	3400	91.2
15	1.0	640	17.1	1300	34.8	1700	45.6	2500	67.1	3200	85.9	4600	123	5300	142

OUTLET PRESSURE RANGE, CONTROL SPRING PART NUMBER, AND COLOR	OFFSET FROM SETPOINT	OUTLET PRESSURE SETTING	INLET PRESSURE, PSIG (bar)	3/4 NPT BODY SIZE					
				Capacities in SCFH (Nm³/h) of 0.6 Specific Gravity Natural Gas					
				Orifice Size, Inches (mm)					
				1/8 (3,2)	3/16 (4,8)	1/4 (6,3)	3/8 (9,5)	1/2 (13)	9/16 (14)
1.2 to 2.5 psig (83 to 172 mbar) 1B537127022 Green	0.2 psig (14 mbar)	1.2 psig (83 mbar)	2 (0,14)	120 (3,2)	170 (4,6)	220 (5,9)	350 (9,4)	490 (13,1)	520 (13,9)
			6 (0,41)	180 (4,8)	340 (9,1)	450 (12,1)	740 (19,8)	850 (22,8)	1070 (28,7)
			10 (0,69)	190 (5,1)	440 (11,8)	590 (15,8)	1010 (27,0)	1170 (31,3)	
			30 (2,1)	560 (15,0)	900 (24,1)	1550 (41,5)	1720 (46,1)		
			60 (4,1)	860 (23,1)	1110 (29,7)	2480 (66,5)	2340 (62,7)		
		150 (10,3)	1990 (53,3)	3480 (93,3)	3500 (93,8)				
		2.5 psig (172 mbar)	6 (0,41)	140 (3,8)	190 (5,1)	260 (7,0)	450 (12,1)	590 (15,8)	680 (18,2)
			10 (0,69)	170 (4,6)	340 (9,1)	490 (13,1)	570 (15,3)	860 (23,1)	
			30 (2,1)	430 (11,5)	660 (17,7)	980 (26,3)	1030 (27,6)		
			60 (4,1)	750 (20,1)	850 (22,8)	1940 (51,9)	2250 (60,3)		
150 (10,3)	1480 (39,7)		2320 (62,2)	3350 (89,8)					

# Lock-up Tail

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Definition: The amount of pressure buildup over setpoint to achieve zero flow (bubble tight shut-off)

- What contributes to buildup in pressure?
  - Increase of  $P_2$  to overcome spring force
  - Increase of  $P_2$  to push the soft seat into the orifice
- What affects lockup?
  - Damaged orifice / seat ring
  - Damaged soft seat
  - Different durometers of elastomeric materials (nitrile vs. nylon)
  - The amount of flow going through the regulator when setpoint is made

# Critical Flow

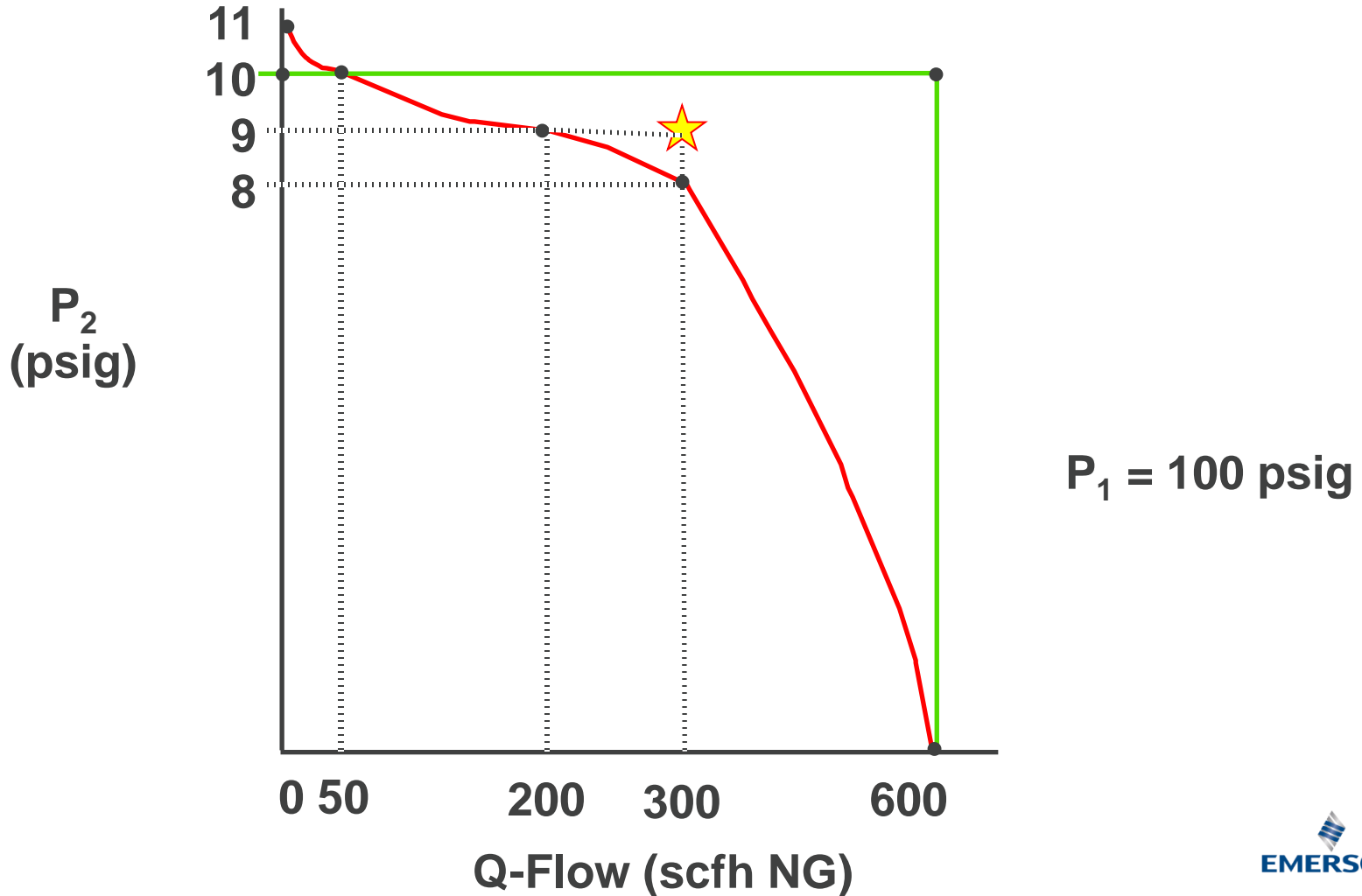
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Definition: The rate at which a fluid flows through an orifice when the stream velocity at the orifice is equal to the velocity of sound in the fluid

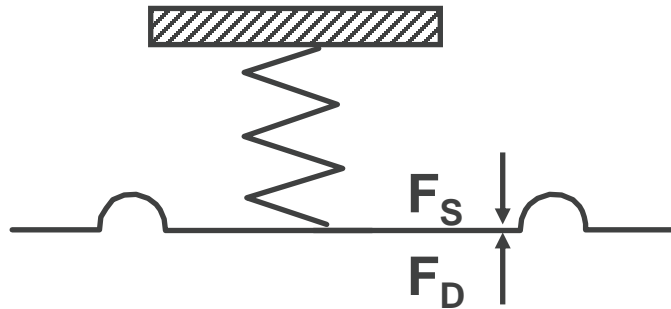
- The rate of flow may be increased by
  - Increase in upstream pressure (*increase  $P_1$* )
  - Increase in the restriction size (*increase orifice size*)
  - Will not be affected by a decrease in downstream pressure or *by cranking in the adjusting screw*
- Critical Flow occurs when  $P_2$  is approximately less than or equal to  $\frac{1}{2}$  ( $P_1$  absolute)
  - $P_2 < = \frac{1}{2} P_{1abs}$

Application: Customer Need: 10% Droop, 300 scfh NG

*Will the current regulator meet the application??*



# Use a Lighter Spring with Smaller **K** Factor



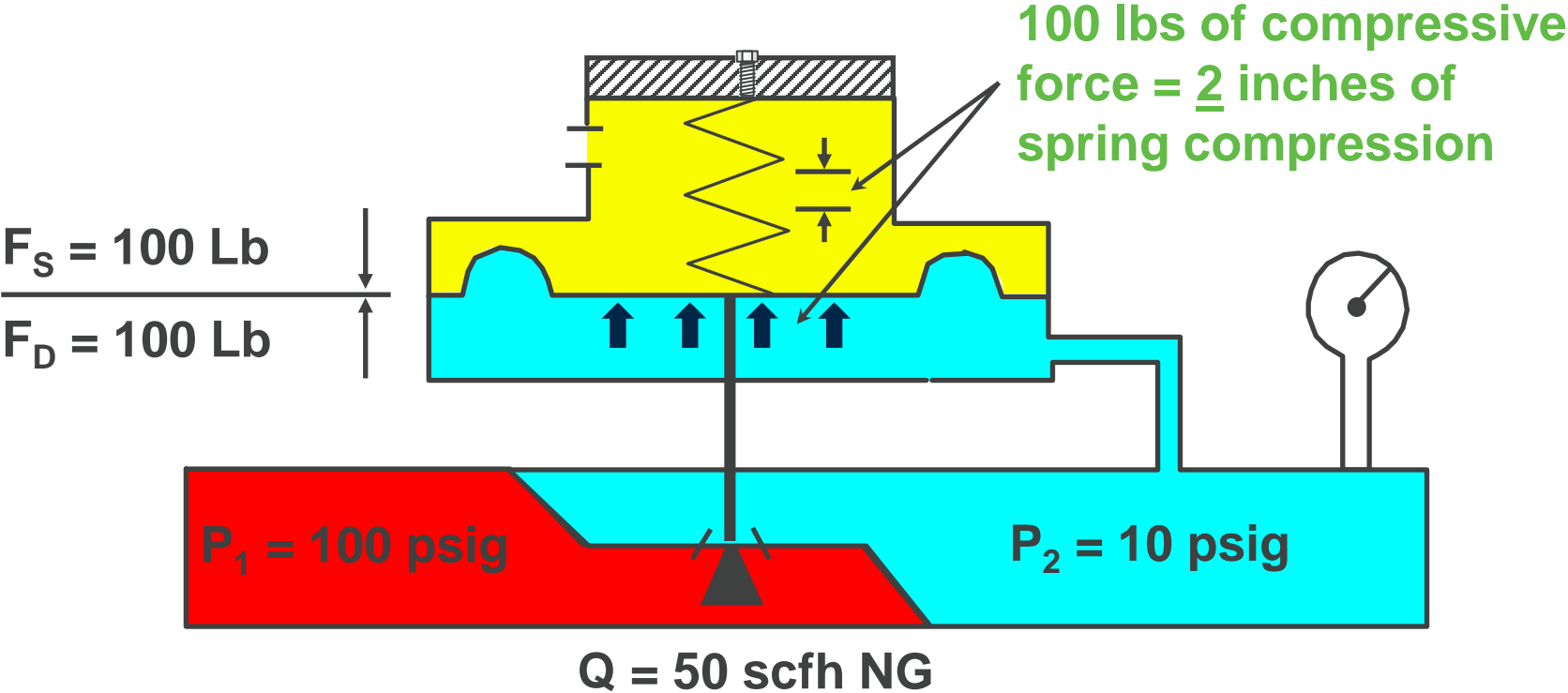
$$\frac{F_s = (\mathbf{K})(\mathbf{X})}{F_D = (P_2)(A_D)} \quad \downarrow \quad \uparrow \quad F_s = F_D$$

$$F_D = (10 \text{ psig})(10 \text{ in}^2) = 100 \text{ Lb} \uparrow$$

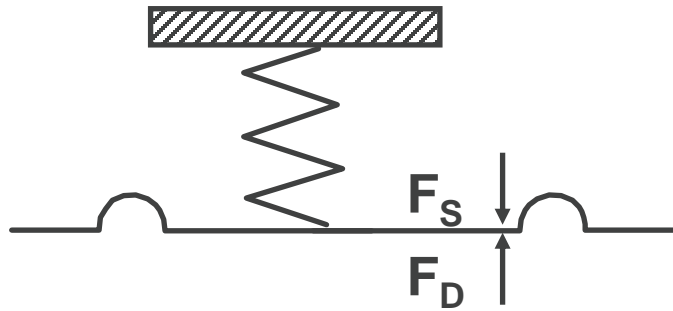
$$F_s = (\mathbf{50 \text{ Lb/in}})(\mathbf{X}) = 100 \text{ Lb} \downarrow$$

**X = 2 Inches Compression**

# Using a Lighter Spring



# Using a Lighter Spring



$$\begin{array}{c} F_S = (K)(X) \\ \hline F_D = (P_2)(A_D) \end{array} \quad \begin{array}{c} \downarrow \\ \uparrow \end{array} \quad F_S = F_D$$

$$F_D = (9 \text{ psig})(10 \text{ in}^2) = 90 \text{ Lb} \quad \uparrow$$

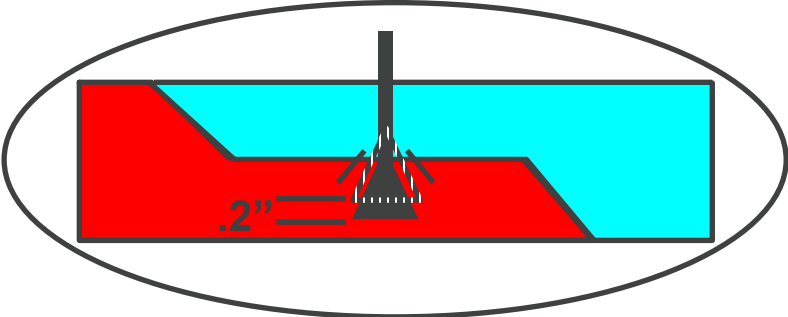
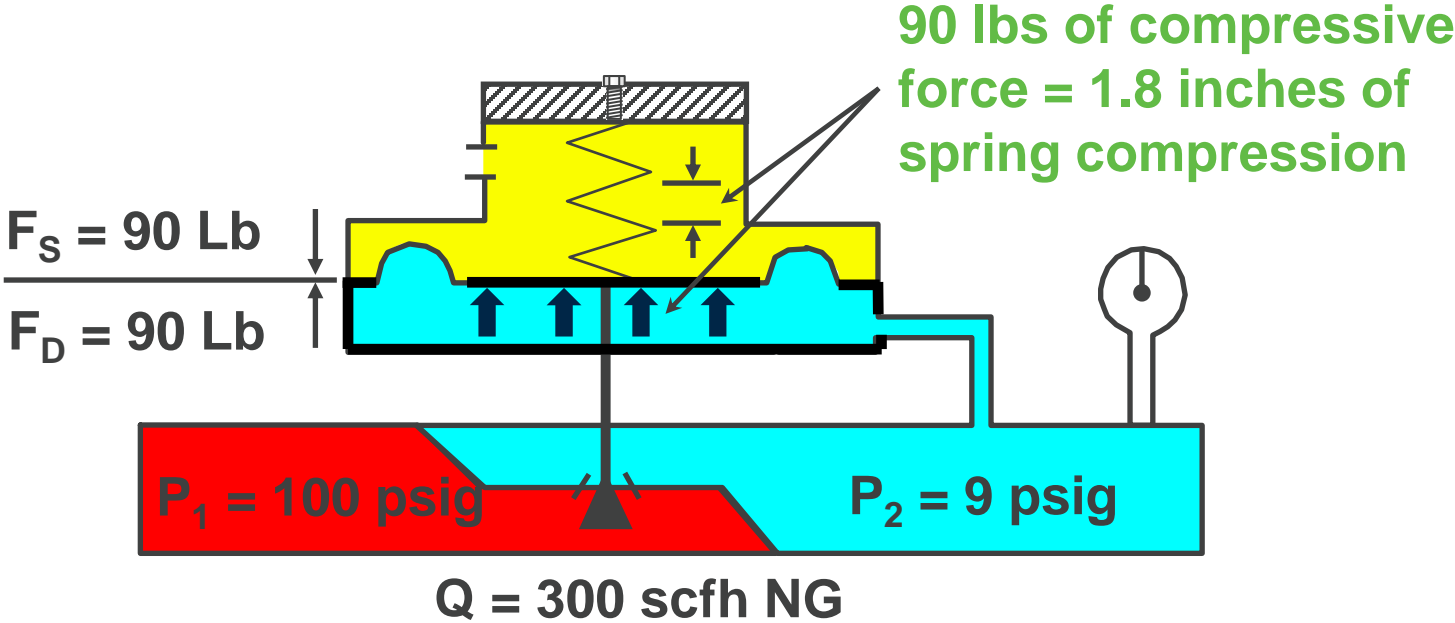
$$F_S = (50 \text{ Lb/in})(X) = 90 \text{ Lb} \quad \downarrow$$

**X = 1.8 inches compression**

Spring has relaxed  $2 - 1.8 = 0.2$  inches

So diaphragm has moved down 0.2 inches

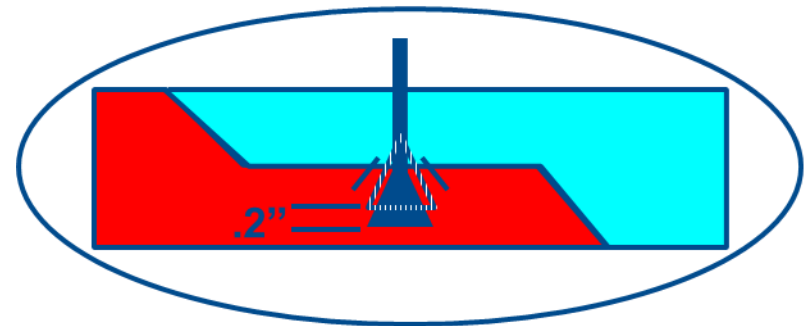
# Using a Lighter Spring



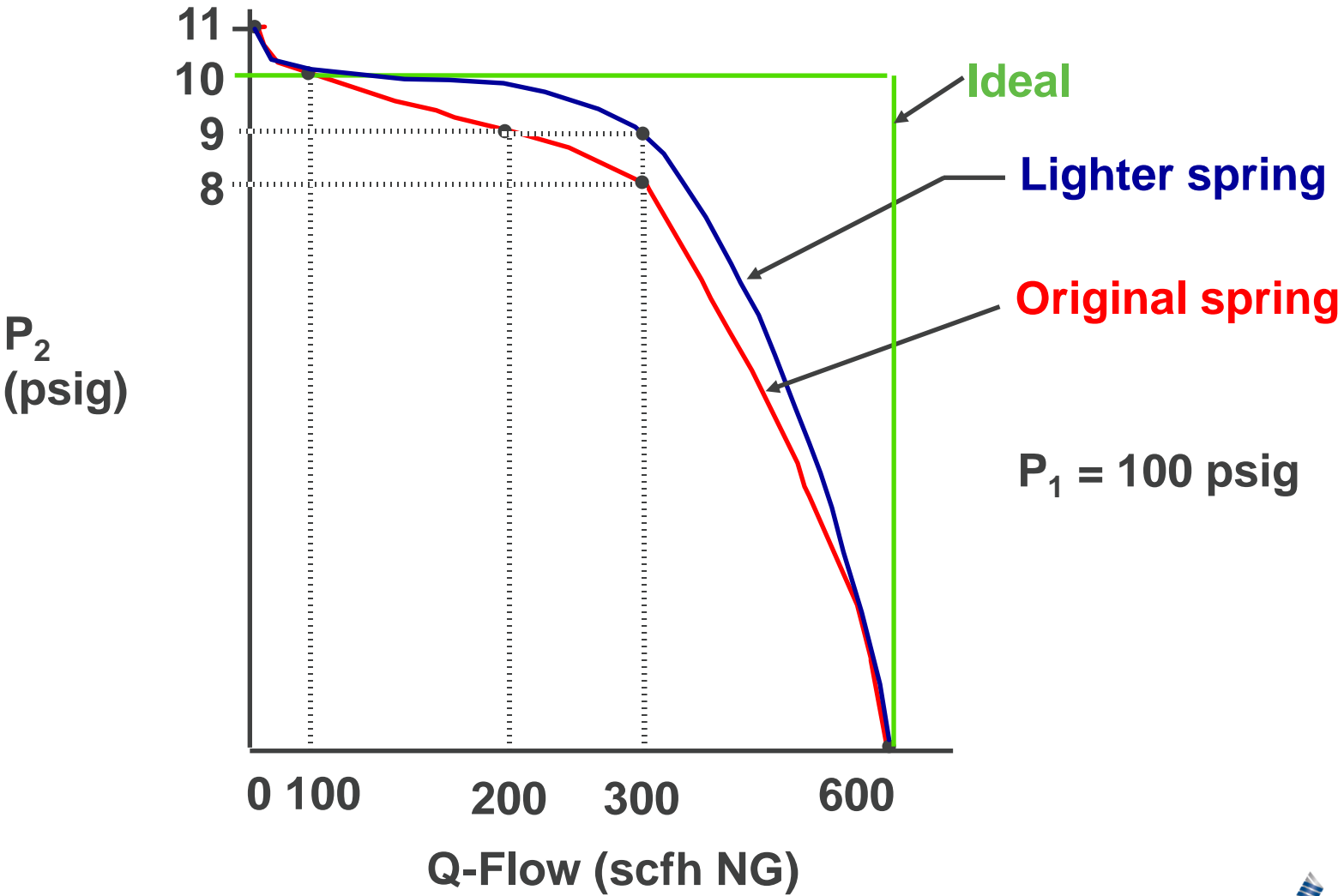
# Calculating Droop: Lighter Rate Spring

- Calculated by comparing the change in outlet pressure vs. the original setpoint:
  - $P_2$  (original set point): 10 psig
  - $P_2$  (after increase in flow): 9 psig
  - $\Delta P_2 = P_2$  (original) –  $P_2$  (after)
  - $\Delta P_2 = 10$  psig – 9 psig
  - $\Delta P_2 = 1$
  - Droop =  $\Delta P_2 / P_2$  (original)
  - Droop = 1 psi / 10 psig
  - **Droop = .1 or 10%**
  - **Flow = 300 SCFH**

**10% Droop results in .2 inch in valve plug travel**



# Spring Effect on Accuracy



# What is Accuracy to a Regulator?

---

- For a given set of conditions (see below), the regulator that gives you the most flow is the most accurate
  - Example:
    - Inlet Pressure:  $P_1 = 100$  psig
    - Outlet Pressure:  $P_2 = 10$  psig
    - Orifice Size: assume  $\frac{1}{4}$ "
    - Droop: 10%

## Which Regulator is more accurate?

- *Ex. 1:  $Q = 200$  SCFH @ 10% droop*
- *Ex. 2:  $Q = 300$  SCFH @ 20% droop*
- *Ex. 3:  $Q = 300$  SCFH @ 10% droop*

## Spring Effect on Droop

---

- Manufacturers provide spring ranges
- Remember: Lighter Spring = More Accuracy = More Travel = More Flow
- Stay within recommended spring range

**1<sup>st</sup> Rule of Thumb: Always select the lightest spring for the application**

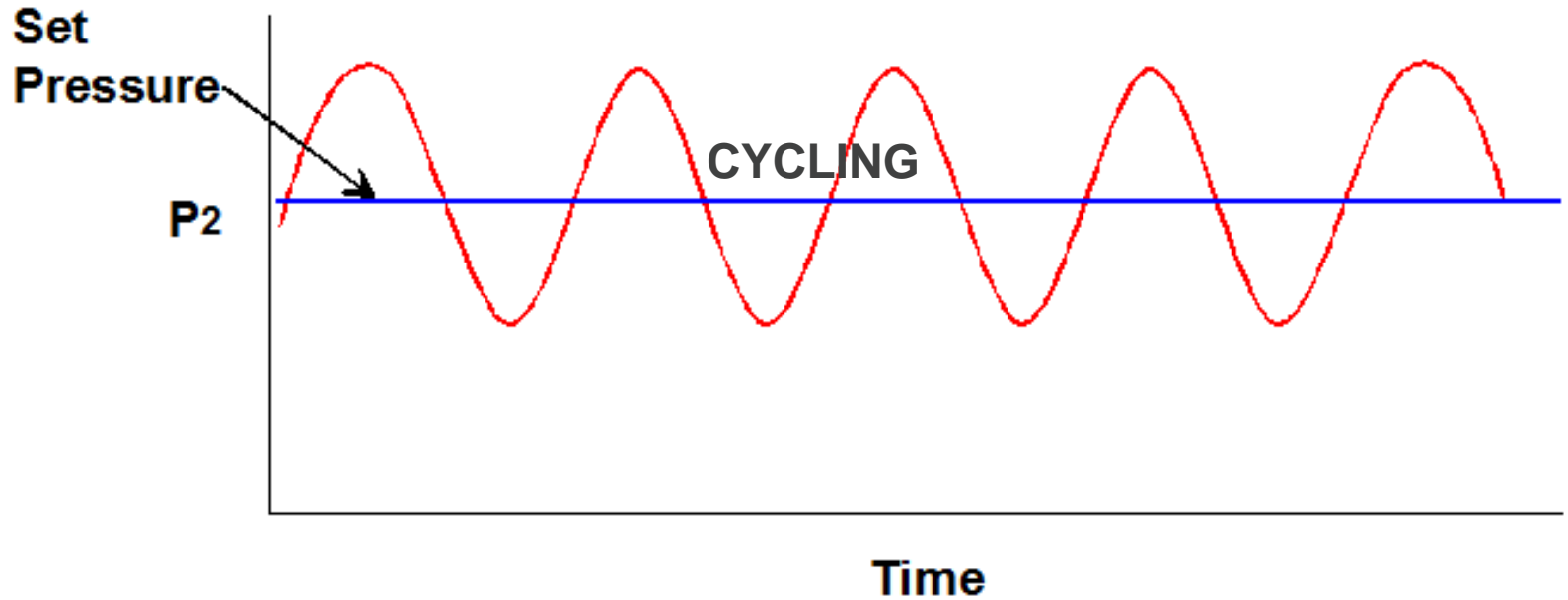
# First Rule of Thumb

---

- Always select the lightest rate spring (less droop)
- If the setpoint on a 627 is 20 psig, choose the best spring for the application (if accuracy is important):
  - a) Spring range: 5 to 20 psig
  - b) Spring range: 15 to 40 psig
  - c) Spring range: 35 to 80 psig

# Spring Rate & Stability

- Always start with the lightest rate spring



# Orifice Considerations



- Larger orifice results in less travel for same flow
- Oversized orifice causes disc to 'hover' near orifice
  - Disc will have a tendency to try and shut off
  - May cause instability at low flows

**2<sup>nd</sup> Rule of Thumb: Always use the smallest orifice**

# Orifice Considerations

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- Smaller Orifice
  - Less area to seal against results in better lockup
- Smaller orifice results in \$\$\$ savings for overpressure protection (OPP)
  - Smaller relief valve is needed

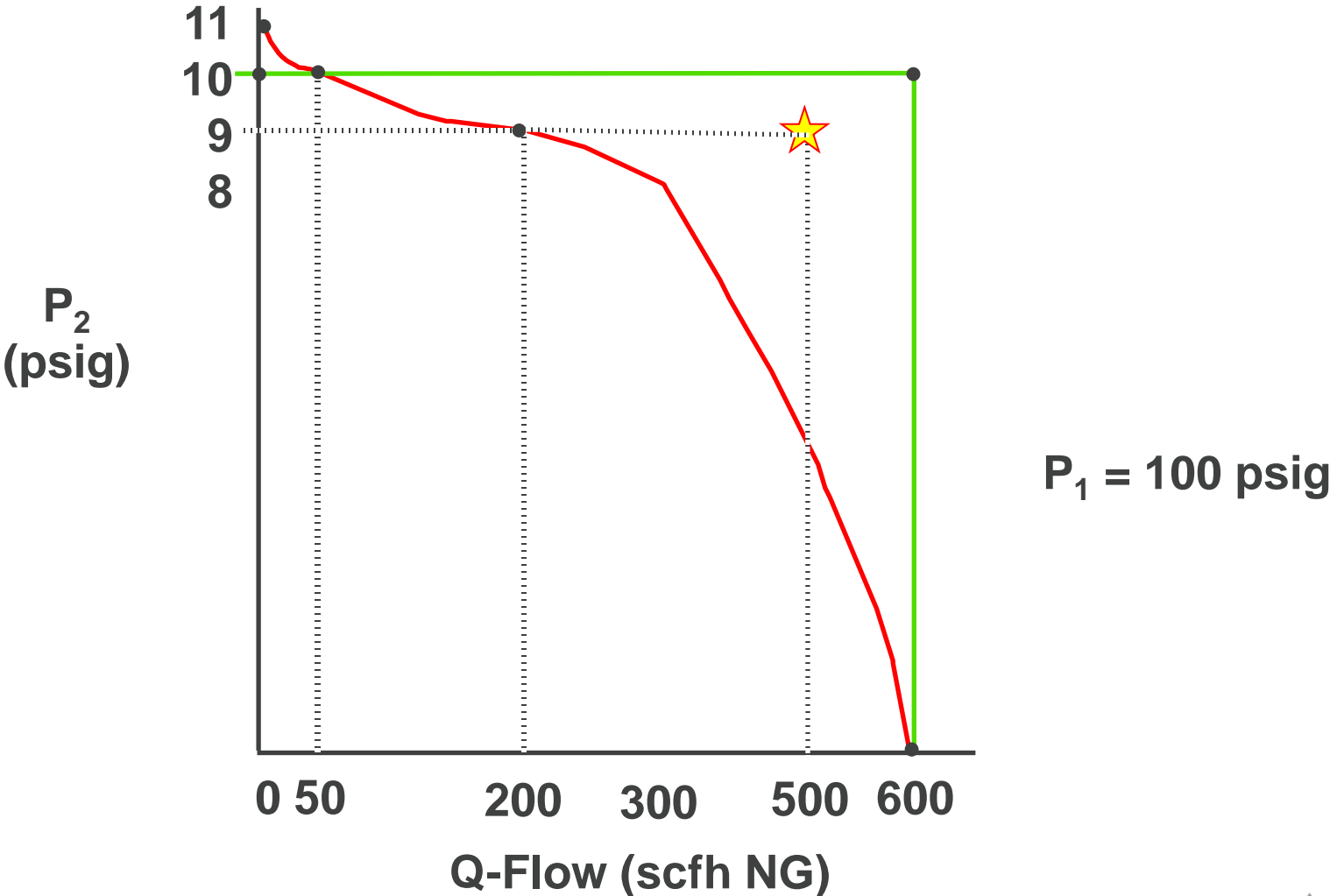
**2<sup>nd</sup> Rule of Thumb: Always use the smallest orifice**

# Rules of Thumb

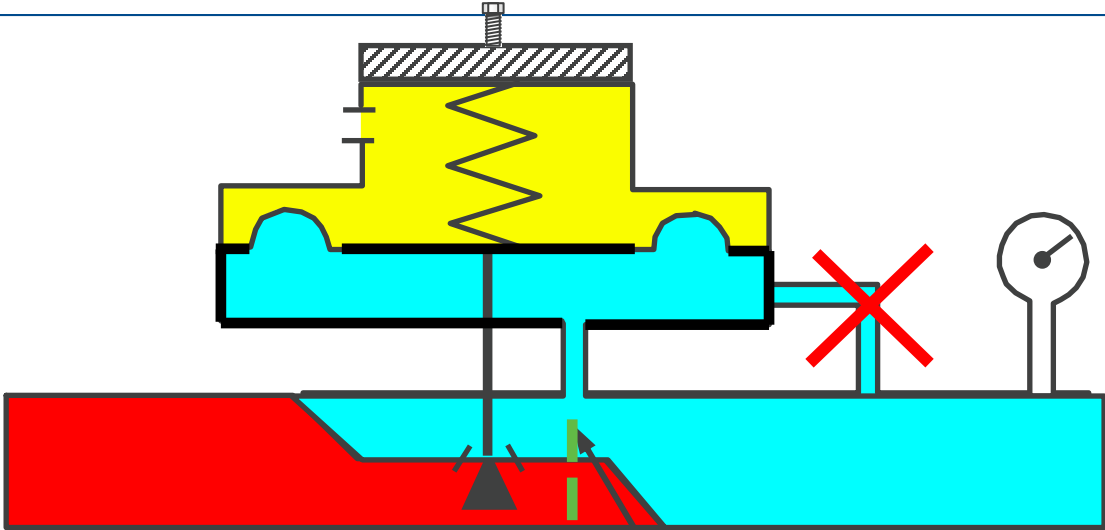
---

- What is the first rule of thumb?
  - Always use the lightest spring for a given application
    - Improved accuracy (less droop)
- What is the second rule of thumb?
  - Always use the smallest orifice for a given application
    - Better lockup
    - More stability

# Customer Need: 10% Droop, 500 SCFH NG



# Use Vena Contracta for Sensing Pressure



Sense Pressure Here

Pressure In  
 $P_1 = 100$  psig

Pressure Out  
 $P_2 = 10$  psig

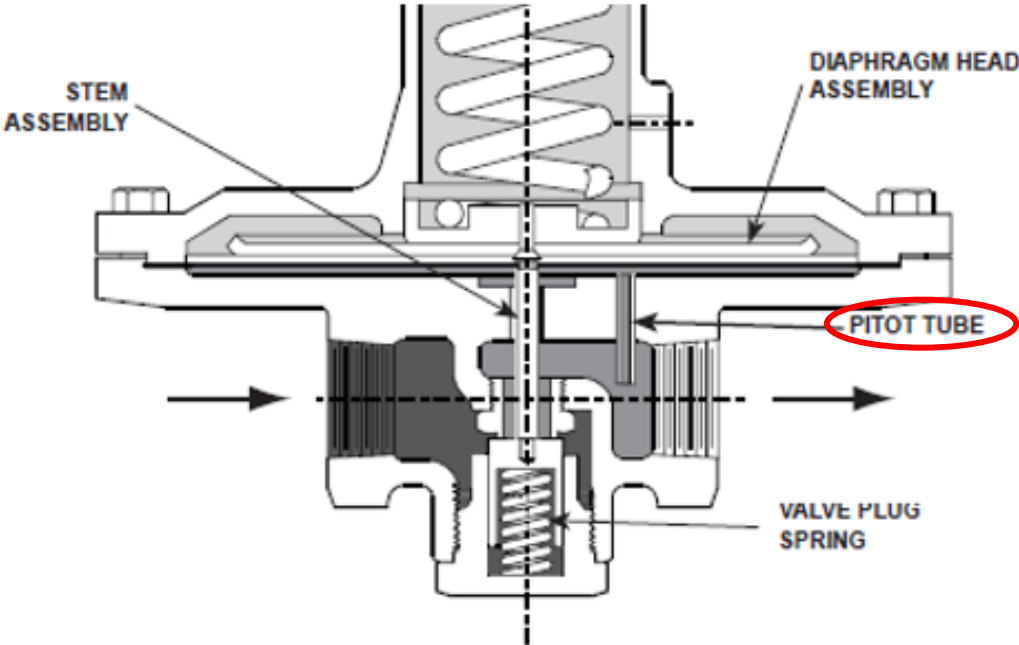
$P_{vc} = 9$  psig

Velocity In

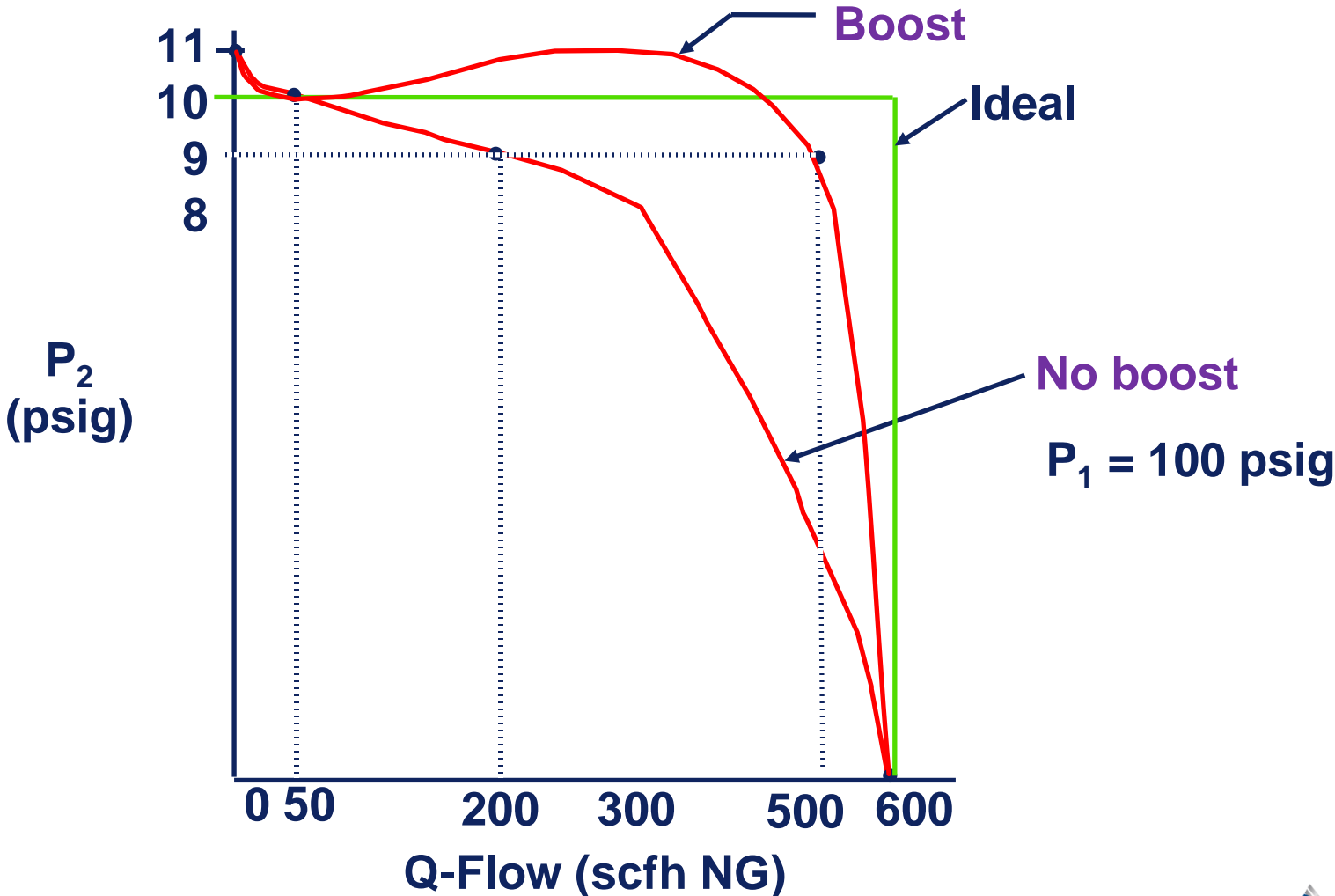
Velocity Out

Vena Contracta

# Boost Components in Regulators



# Boost Effect

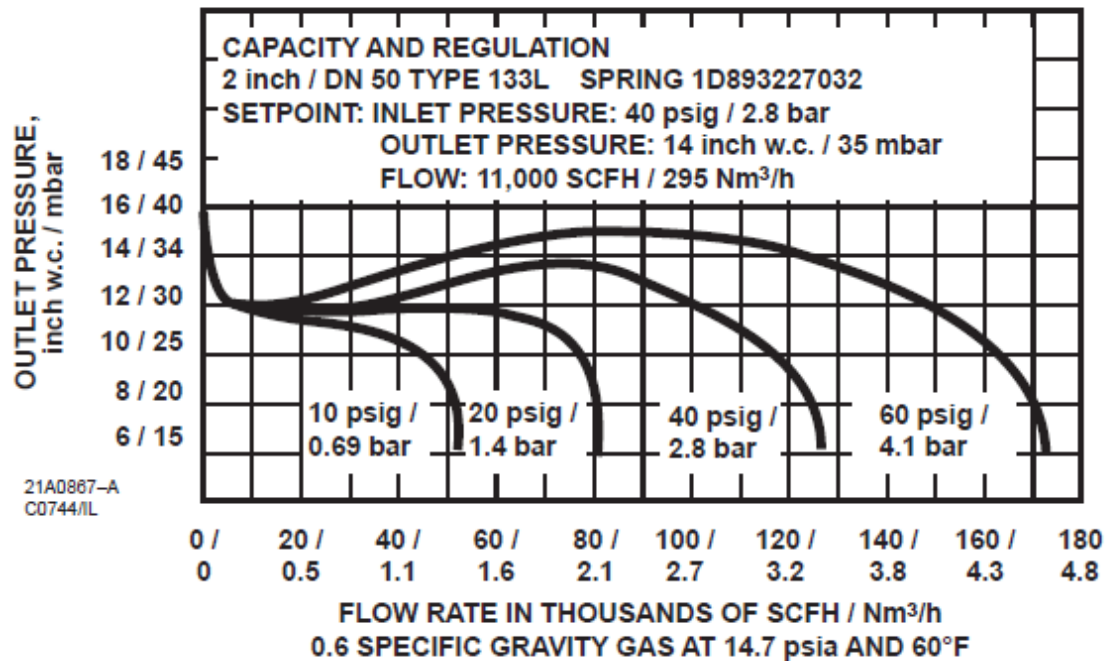


# Boost Effect in Capacity Tables

**Table 17.** Types CS800<sup>(1)(3)</sup>, CS803<sup>(2)(3)</sup> and CS804<sup>(3)(5)</sup> Internal Registration Flow Capacities for 7 in. w.c. / 17 mbar Setpoint for 2 in. / DN 50 Body Size, Enhanced Low Inlet (LIN) Option

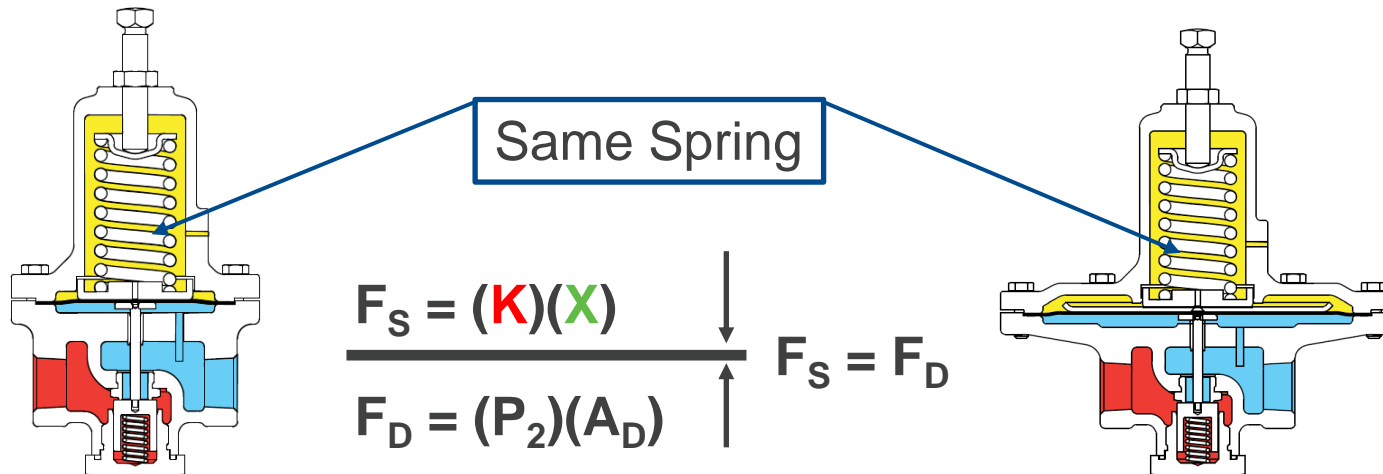
SETPOINT	ACCURACY		SPRING	
	Droop	Boost	Set Range	Part Number / Color
7 in. w.c.	-1 in. w.c.	2 in. w.c.	5.5 to 8.5 in. w.c.	GE49043X012 / Brown
17 mbar	-2.5 mbar	5 mbar	13 to 21 mbar	

OUTLET PRESSURE SETTING, SPRING RANGE, DROOP AND BOOST
5 in. w.c. / 12 mbar
4 to 6 in. w.c. / 10 to 15 mbar
1 in. w.c. droop
2 in. w.c. boost



# Diaphragm Size and Pressure Ranges

- Diaphragm size is correlated with the ability to control certain pressure ranges
  - Larger diaphragms = lower set pressures
  - Smaller diaphragms = higher set pressures
- Larger diaphragms are more sensitive to changes in downstream pressure

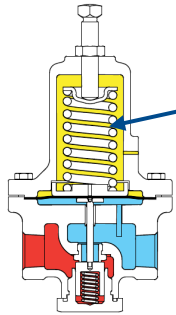


Spring Range: 15-30 psig

Spring Range: 2-6 psig

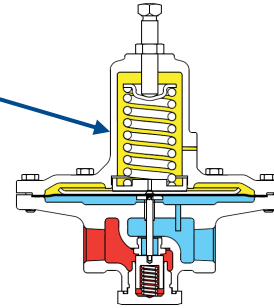
# Diaphragm Size and Pressure Ranges

## Smaller Diaphragm Area



Same Spring

## Larger Diaphragm Area



Diaphragm Area=  $5 \text{ in}^2$

Spring Rate=  $100 \text{ lb/in}$

Compression=  $1 \text{ inch}$

$$\begin{array}{l} \downarrow F_S = (100 \text{ lb/in})(1) \\ \uparrow F_D = (P_2)(5 \text{ in}^2) \end{array} \quad F_S = F_D$$

$$(P_2)(5 \text{ in}^2) = (100 \text{ Lb/in})(1)$$

$$P_2 \text{ set} = 20 \text{ psig}$$

Diaphragm Area=  $20 \text{ in}^2$

Spring Rate=  $100 \text{ lb/in}$

Compression=  $1 \text{ inch}$

$$\begin{array}{l} \downarrow F_S = (100 \text{ lb/in})(1) \\ \uparrow F_D = (P_2)(20 \text{ in}^2) \end{array} \quad F_S = F_D$$

$$(P_2)(20 \text{ in}^2) = (100 \text{ Lb/in})(X)$$

$$P_2 \text{ set} = 5 \text{ psig}$$

Diaphragm Size Impacts the Spring Range of a Product

# Diaphragm Size and Other Considerations

---

- Diaphragm size is correlated with the ability to control certain pressure ranges
  - Larger diaphragms = lower set pressures
  - Smaller diaphragms = higher set pressures
- Larger diaphragms are more sensitive to changes in downstream pressure
  - More force generated from pressure changes
- Diaphragm Effect: The change in the effective diaphragm area which contributes to droop. Effective diaphragm area changes with stroke.
  - Less impact for larger flat sheet diaphragms vs. smaller diaphragms.
  - Molded diaphragms maintain the effective area throughout the stroke of the regulator.

# Self-Operated Regulators

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- Advantages:

- Low cost
- Simple maintenance
- High speed of response

- Limitations:

- Accuracy
- Body size
- Flow limited by droop

**Typical Applications:**

- 1. Residential**
- 2. Farm taps**
- 3. Commercial meter sets**
- 4. Fuel gas**



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